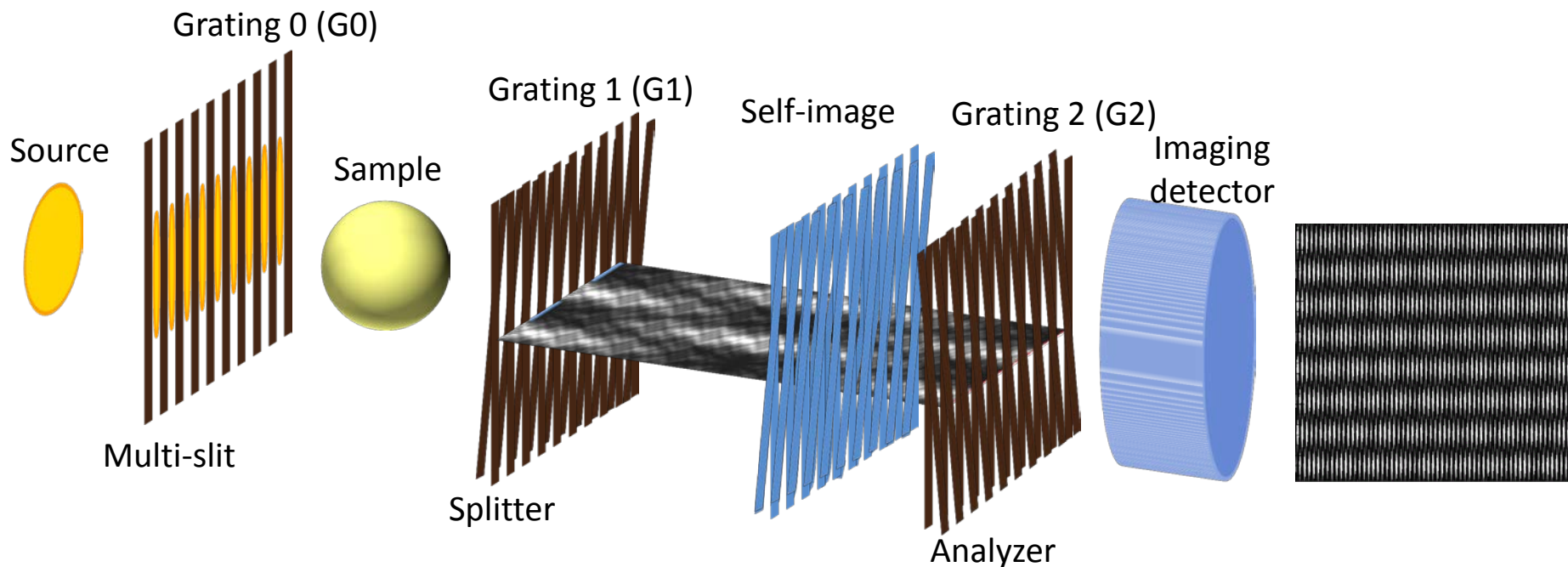


J-PARC RADEN における パルス中性子位相イメージングの開発

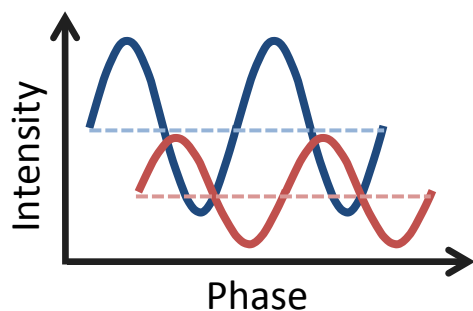
JAEA

関 義親

Talbot-Lau 干渉計の原理



Fresnel回折場→ G2位置にG1直後と同じ強度分布：自己像
試料による自己像の歪みをG2とのモアレ縞で検出



- 吸収コントラスト像（吸収断面積）
- 微分位相コントラスト像（散乱長）
- ビジビリティコントラスト像（小角散乱）

測定される物理量

微分位相イメージング

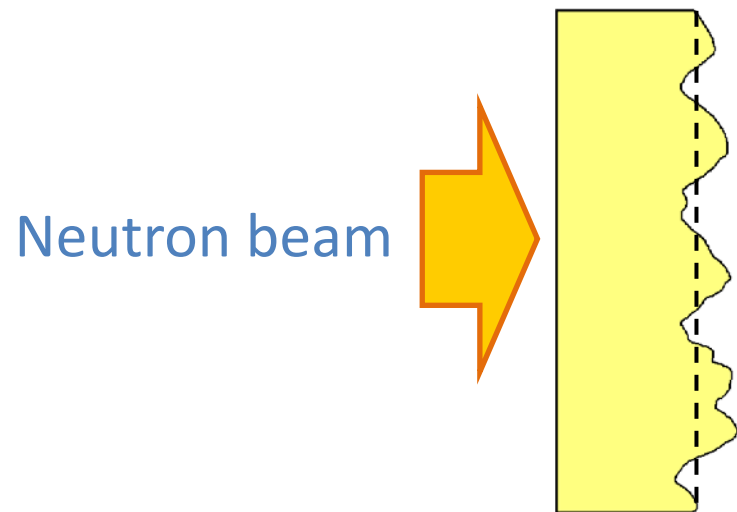
Phase of moiré fringe $\varphi(x, y) \propto \lambda^2 \frac{\partial}{\partial x} \int b(x, y) \rho(x, y) dz$

ビジビリティイメージング

Damping factor of visibility $\eta \simeq \exp[-\sigma_\Phi^2(x, y)\{1 - \gamma(x, y; -pd_1)\}]$

Autocorrelation function $\gamma(x, y; \Delta x) \simeq \exp\left[-\left\{\frac{|\Delta x|}{\xi(x, y)}\right\}^{2H}\right]$

[b : Scattering length, ρ : Atomic density,
 σ_Φ^2 : Standard deviation of phase, ξ : Correlation length, H : Hurst parameter



$$\Phi(x, y) = \underbrace{\Phi_s(x, y)} + \underbrace{\Phi_f(x, y)}$$

Phase shift
due to
averaged structure

Phase shift
due to
microstructures

J-PARC RADEN における Talbot-Lau 干渉法の高度化

- パルスビームでの TOF 測定による

波長分解型 Talbot-Lau 干渉法

広波長域利用・高波長分解能の両立 → 高精度位相測定
波長依存性を活かした解析

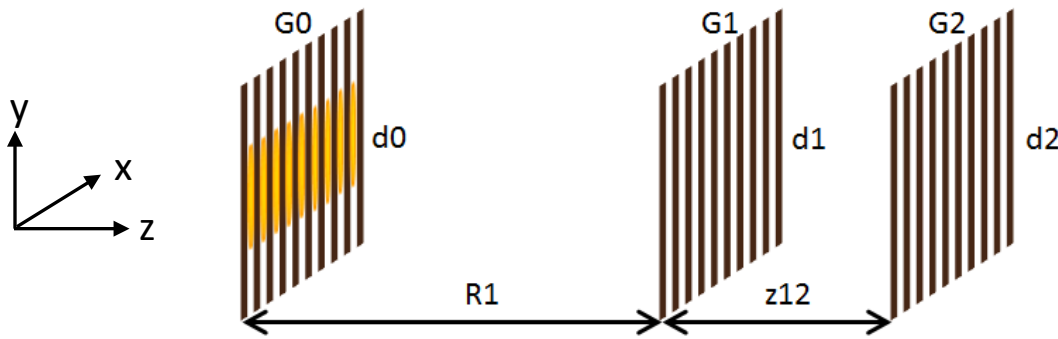
- 偏極中性子利用による

磁気有感型 Talbot-Lau 干渉法

磁場勾配測定

磁場構造

格子のアライメント条件



d_0, d_1, d_2 : Grating pitches
 R_1 : Distance G0-G1
 Z_{12} : Distance G1-G2
 λ : Wavelength
 p : Talbot order

- Talbot condition:
Put G2 on the self-image position.

$$z_{12} = p \frac{d_1^2}{\lambda} M$$

$p = 1$ (G1: Absorption grating)
 $1/2$ (G1: $\pi/2$ phase grating)
 $1/8$ (G1: π phase grating)

- Lau condition:
Superpose self-images from each line source of G0 constructively.

$$\frac{d_0}{d_2} = \frac{R_1}{z_{12}}$$

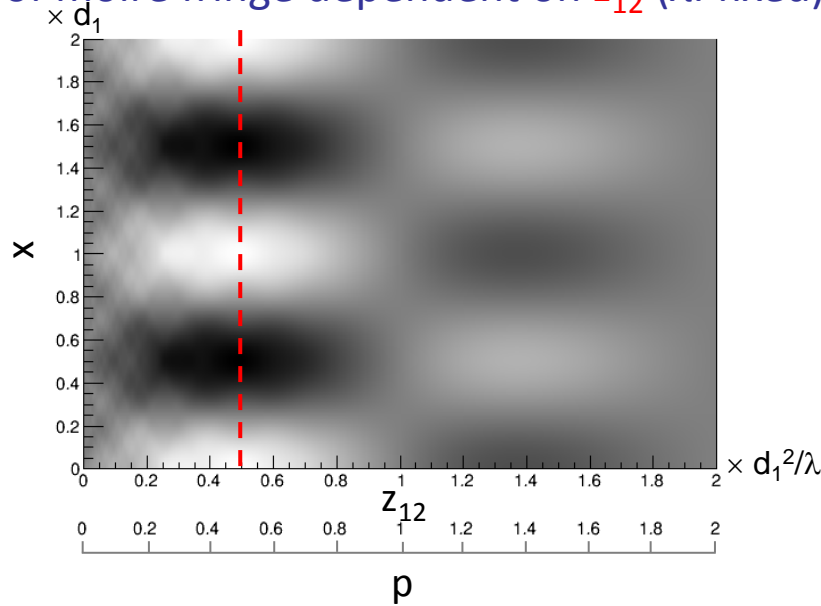
- Magnification due to spherical wave propagation

$$d_2 = d_1 M$$

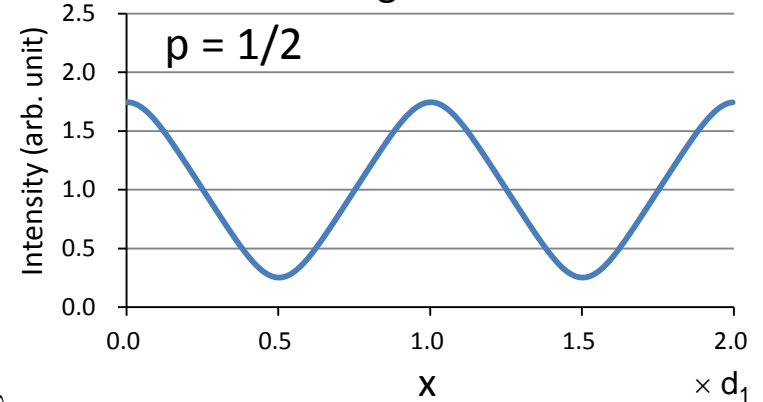
$$M := \frac{R_1 + z_{12}}{R_1}$$

低ビームコヒーレンス下でのモアレ縞

Visibility of moiré fringe dependent on z_{12} (λ : fixed)

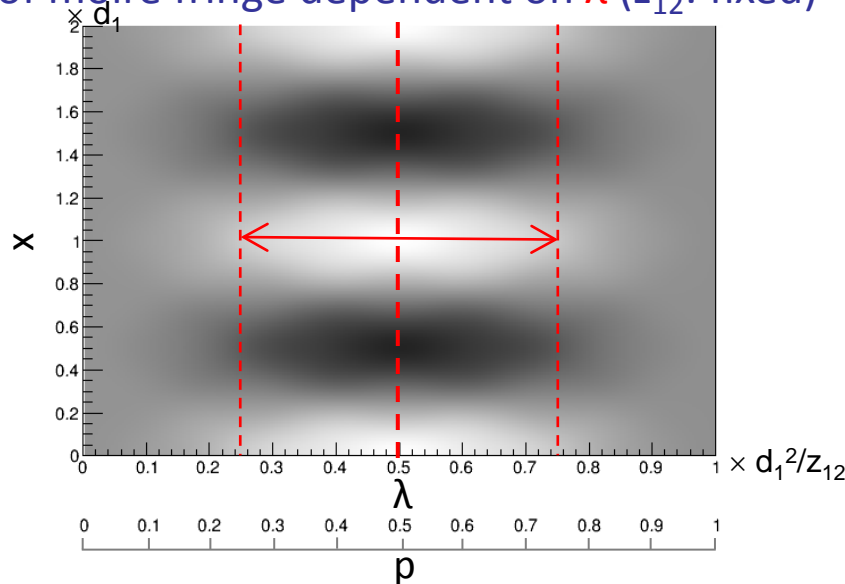


Moiré fringe between self-image of G1 and G2



Moiré fringes are observable around $z_{12} = 0.5 \times d_{12}/\lambda$ ($p = 1/2$).

Visibility of moiré fringe dependent on λ (z_{12} : fixed)



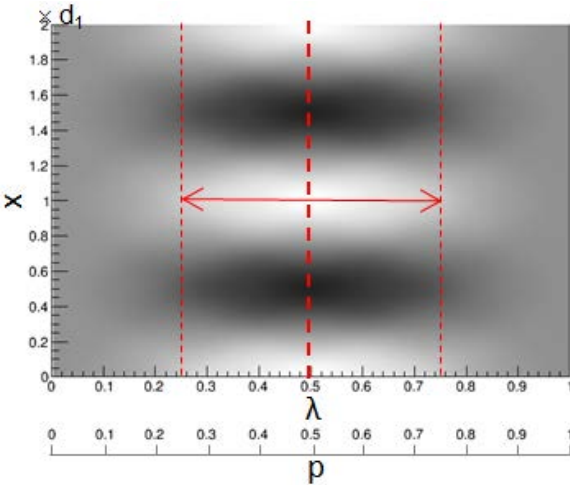
$$z_{12} = p \frac{d_1^2}{\lambda}$$

$$z_{12} \lambda \propto p$$

Moiré fringes are observable around $\lambda = 0.5 \times d_{12}/z_{12}$ ($p = 1/2$).

$$\Delta\lambda/\lambda \sim 50\%$$

Advantages of wavelength-resolved TL interferometry



Phase determination precision
for moiré fringe

$$\Delta\psi \propto \frac{1}{\sqrt{NV}}$$

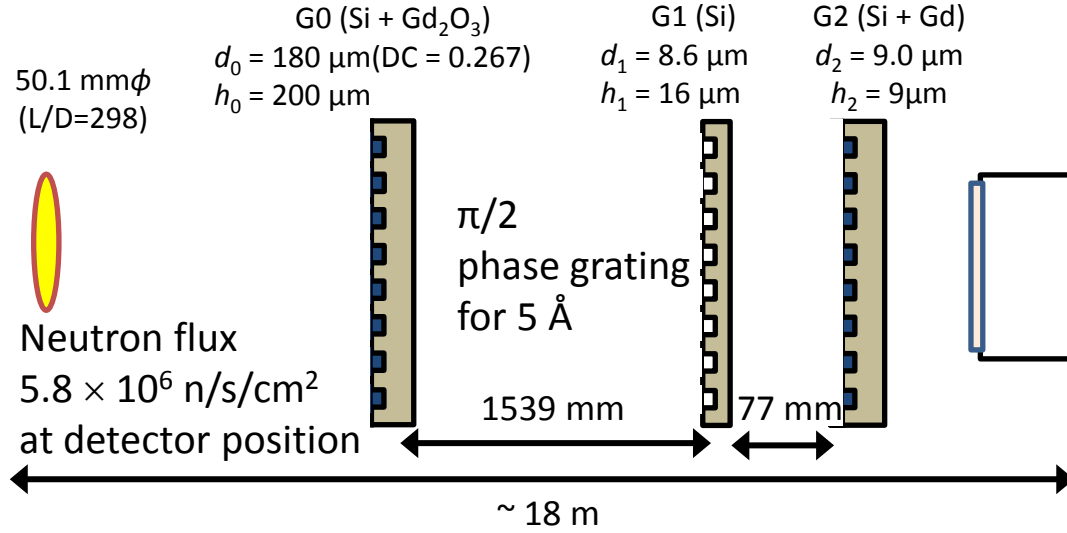
Chromatic aberration
of moiré phase

$$\Delta\psi_{\text{c.a.}}/\psi = 2\Delta\lambda/\lambda$$

[N: Statistics
V: Moiré visibility
 $\Delta\lambda$: Band width

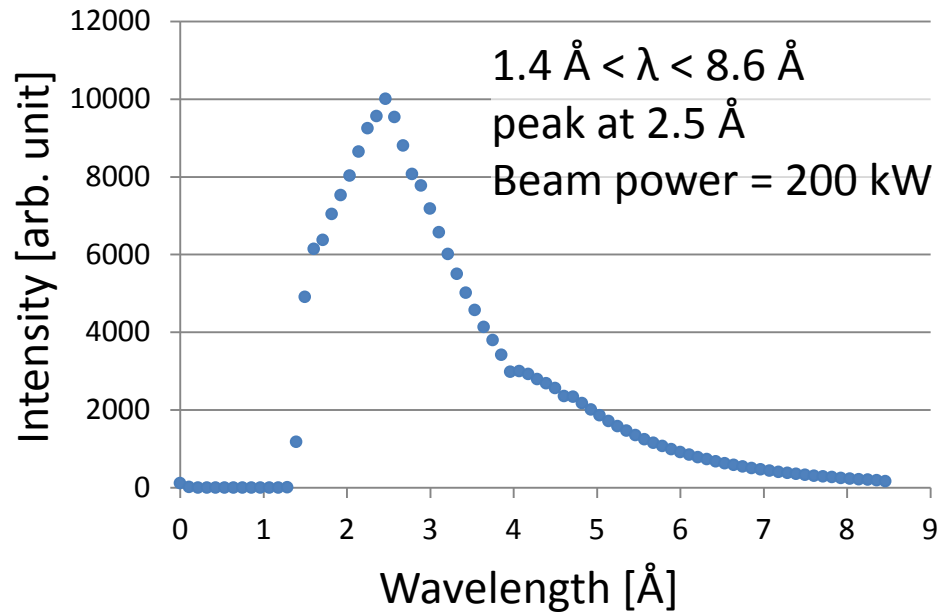
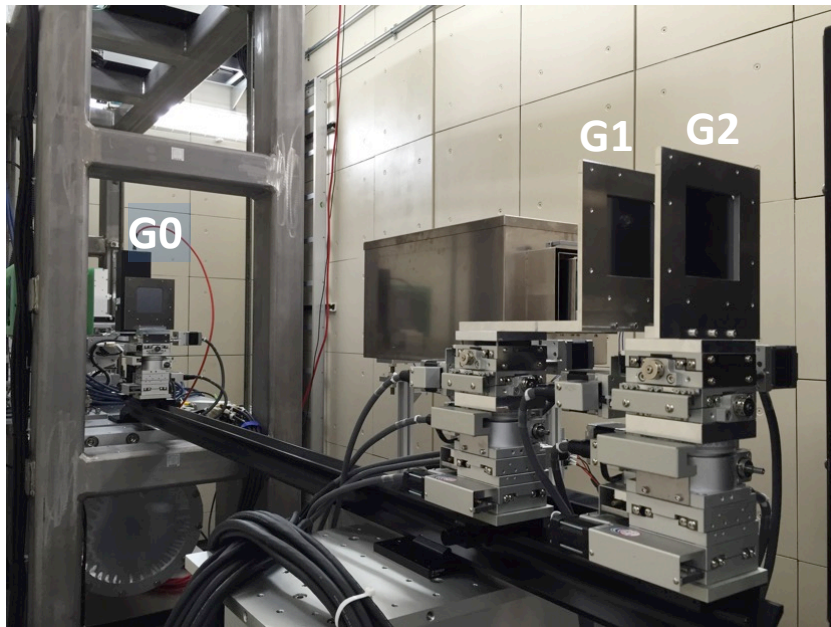
- Wide wavelength band with fine wavelength resolution
 - Wide band → High statistics
 - Fine resolution → avoid chromatic aberration → High visibility
 - Increase phase precision and accuracy
- Wavelength dependence of physical quantity
 - Differential phase contrast imaging $\propto \lambda^2$
 - Visibility contrast imaging
 - Autocorrelation function with different scales

Experiment at RADEN in J-PARC



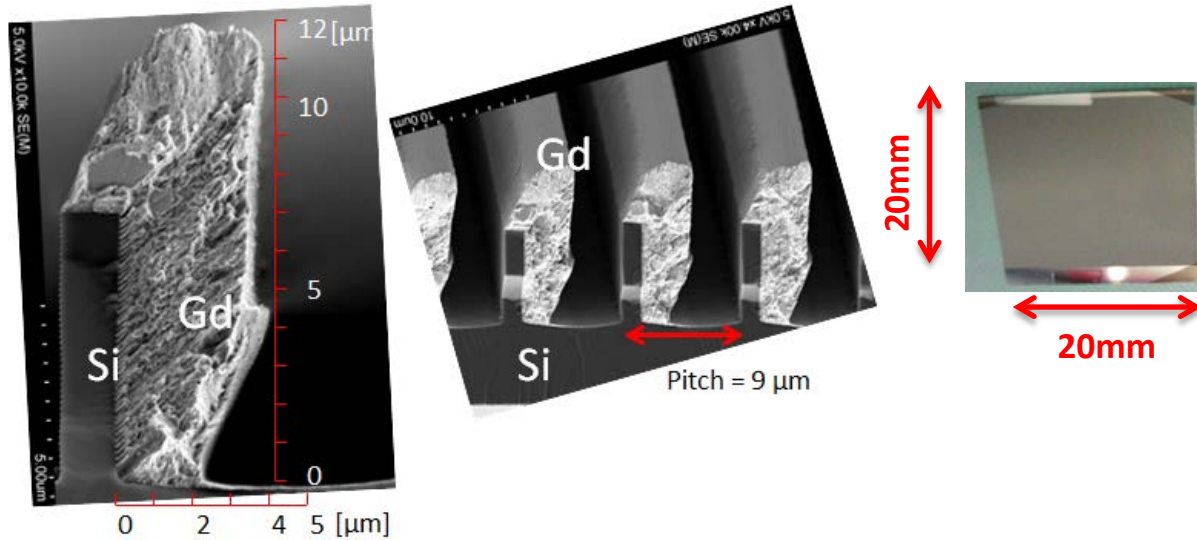
“ μ NID” detector
(Micro-pixel chamber + ³He gas)

D = 0.2 mm (512 \times 512 pix)
 $\Delta t = 0.5 \text{ ms}$
 $\Delta\lambda/\lambda = 4.5\text{-}1.3\%$ (2.5 – 7.5 \AA)
Efficiency: 18% @ 25 meV

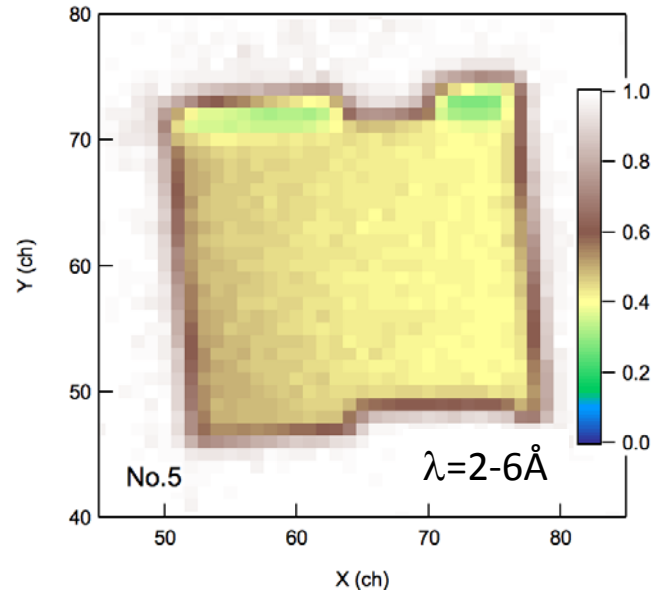


Fabrication of absorption grating with fine pitch (G2)

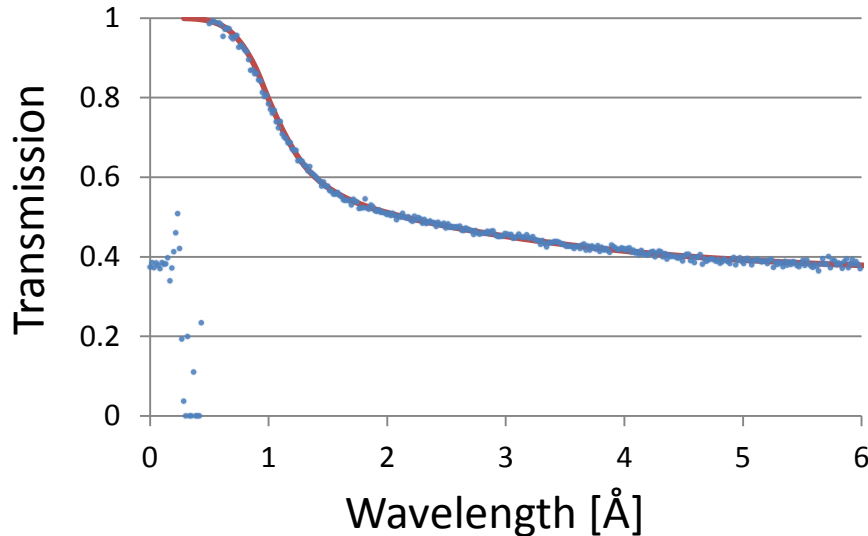
Gd evaporation method



Neutron transmission image



Wavelength dependence of neutron transmission



Effective Gd thickness **9.0 μm**
Duty cycle 0.36

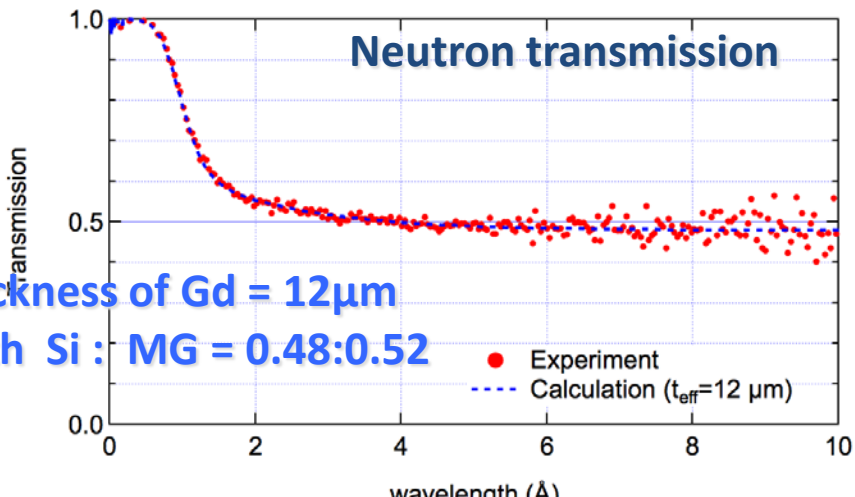
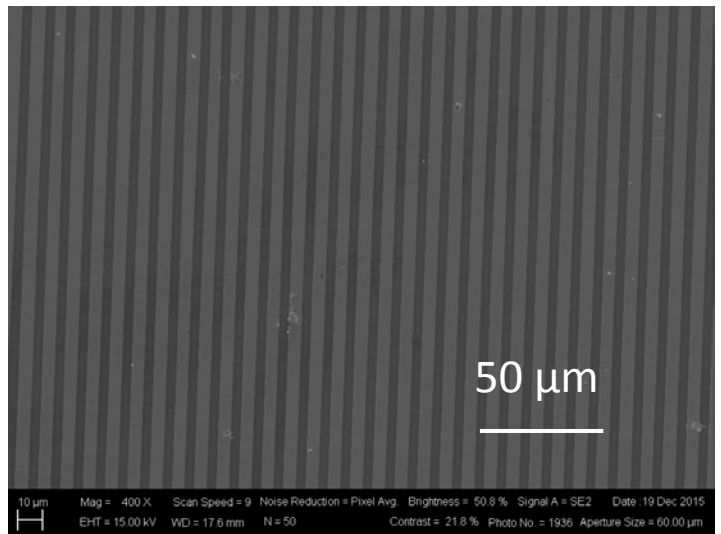
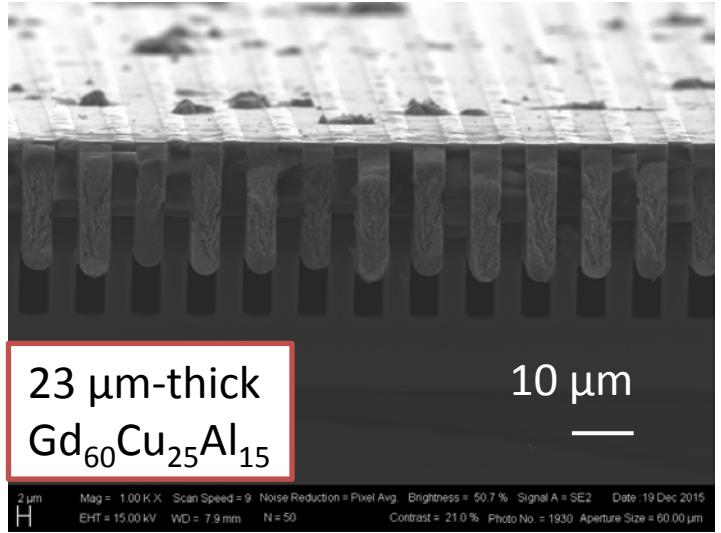
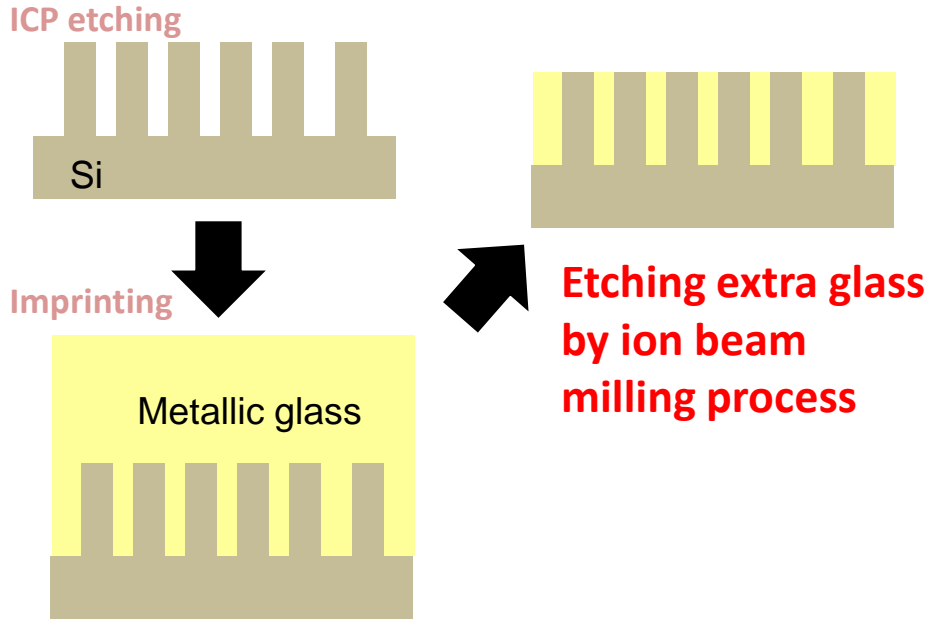
(On the assumption of
ideal shape of Ronchi grating)

Fabrication of Absorption Grating

Gd based metallic glass imprinting

W. Yashiro et al., APEX, 7 (2014) 032501.

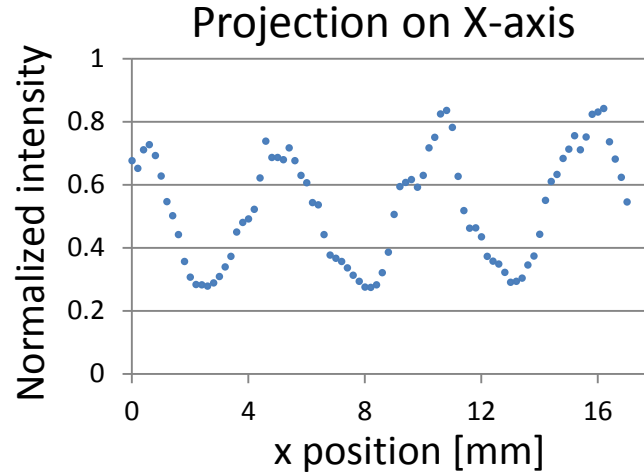
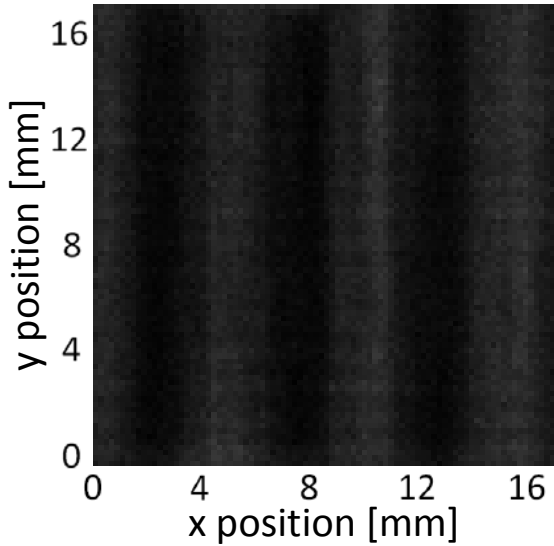
W. Yashiro et al., JJAP, 55 (2016) 048003.



Effective thickness of Gd = 12 μm
Grating width Si : MG = 0.48:0.52

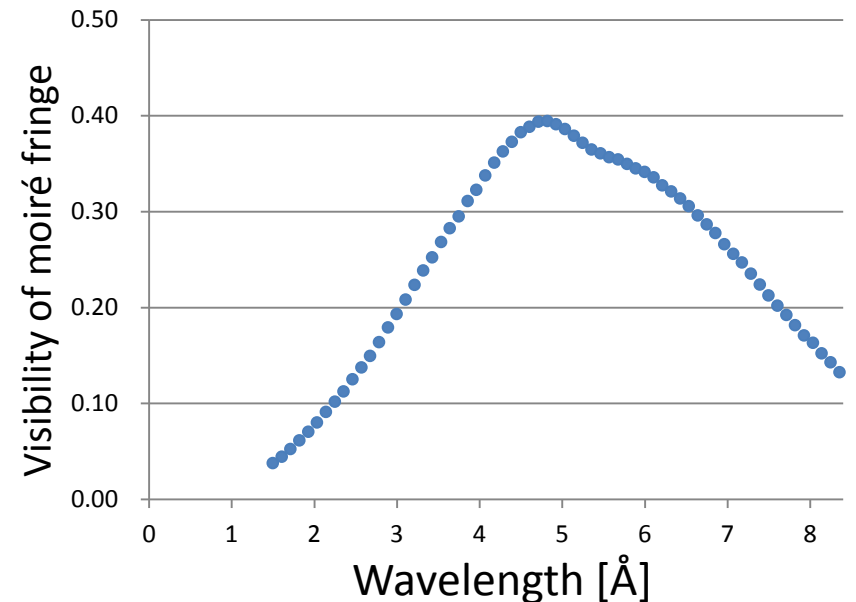
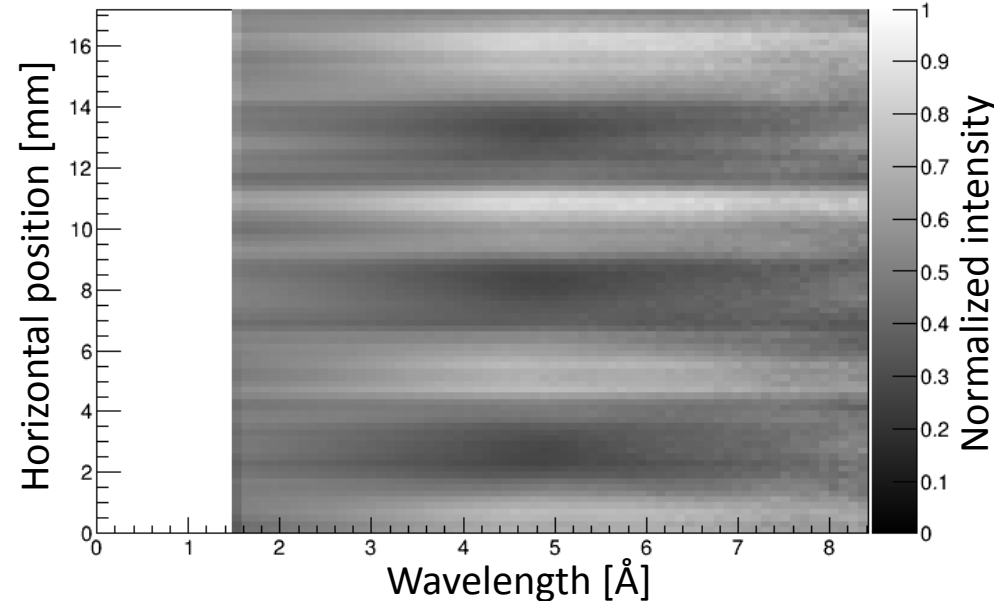
Observation of moiré fringe (without sample)

Moiré fringe (at $\lambda = 5.0 \text{ \AA}$)



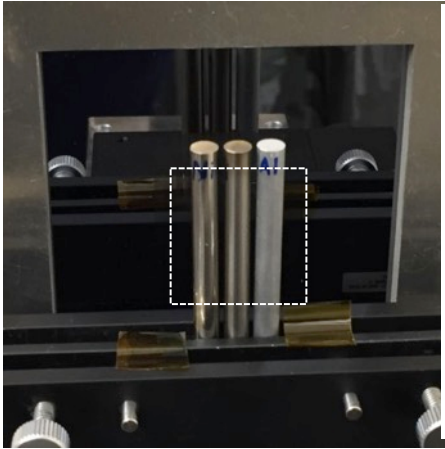
Fringe pattern
can be seen over
full wavelength range.

Wavelength dependence of moiré fringe (projected)

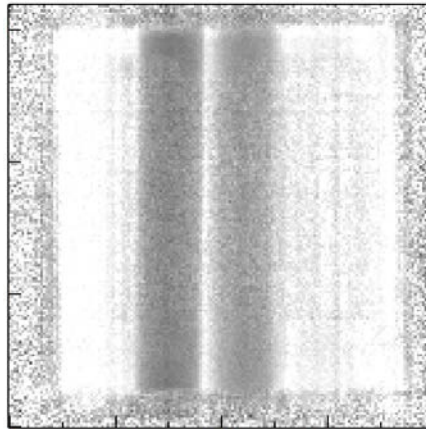


Phase imaging with TOF method

Ni, Ti, Al rods ($\phi=5\text{mm}$)

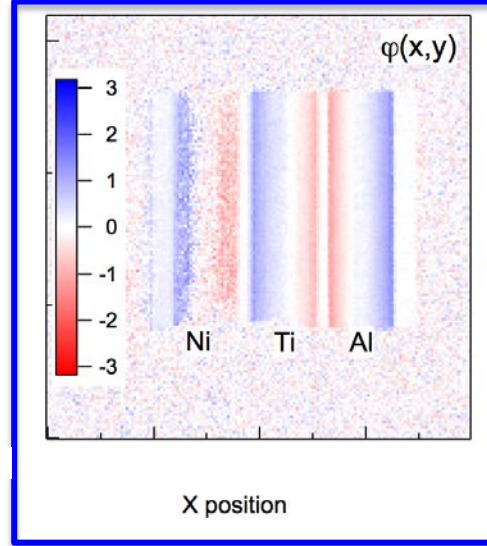


Absorption



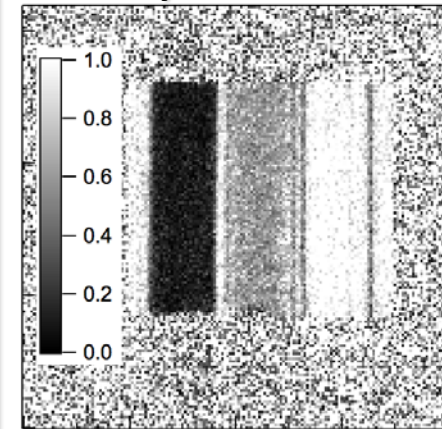
X position

Differential Phase

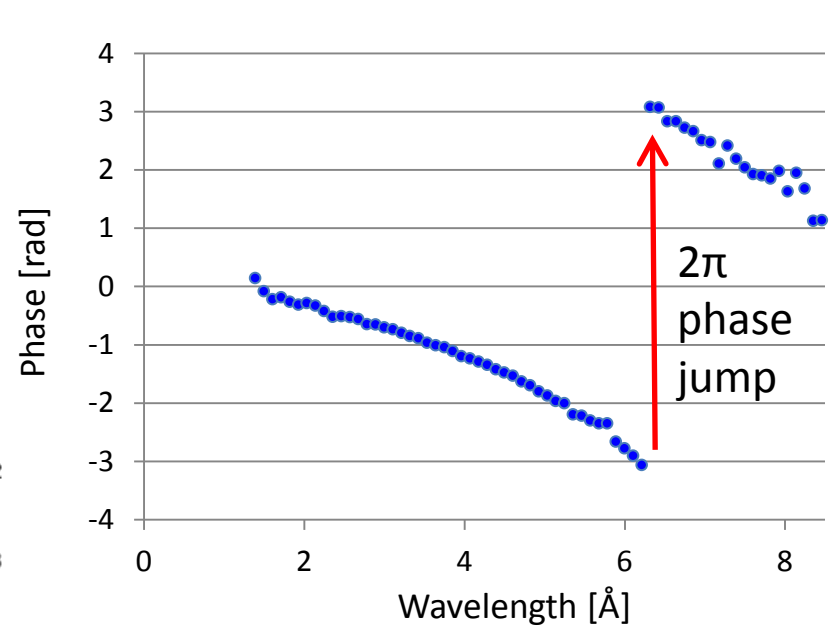
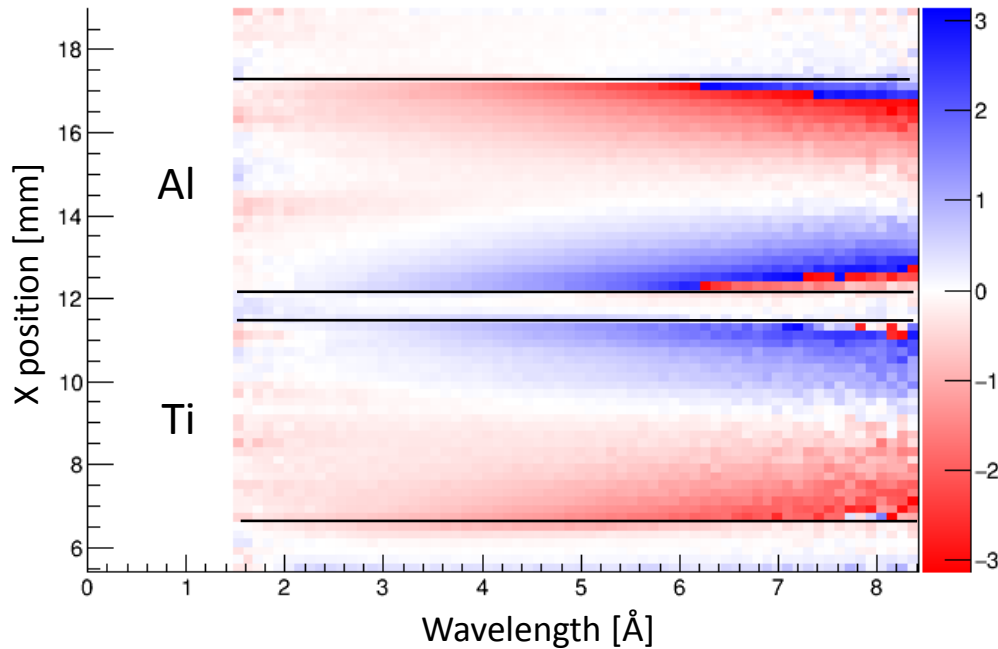


X position

Visibility

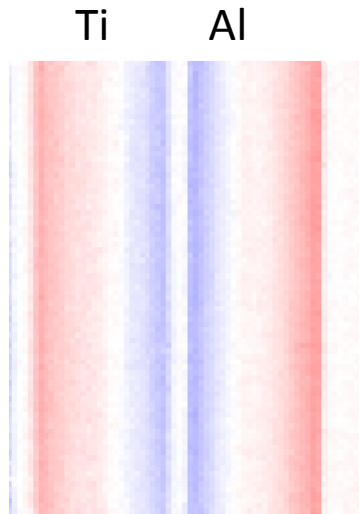


X position



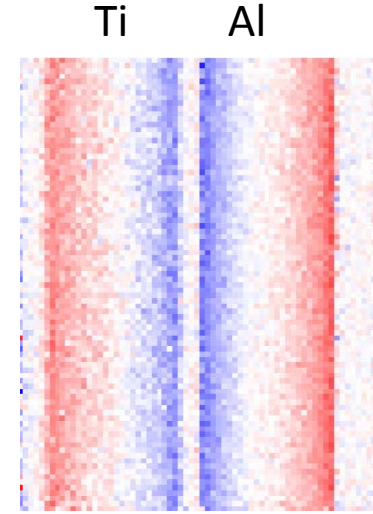
Wide wavelength band vs narrow wavelength band

$\lambda = 5 \text{ \AA}$ (2.5-7.5 \AA)
 $\Delta\lambda/\lambda = 50\%$

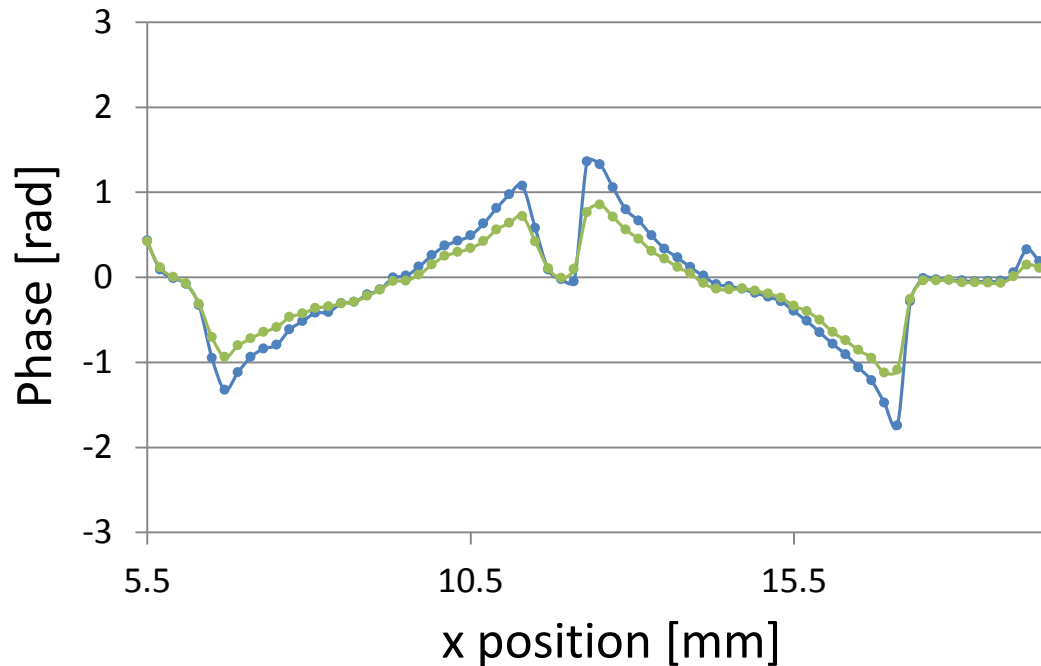
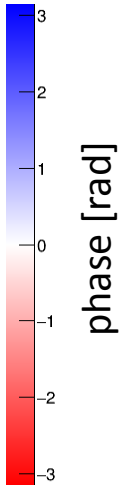


High statistics,
but low contrast.

$\lambda = 5 \text{ \AA}$
 $\Delta\lambda/\lambda = 2\%$



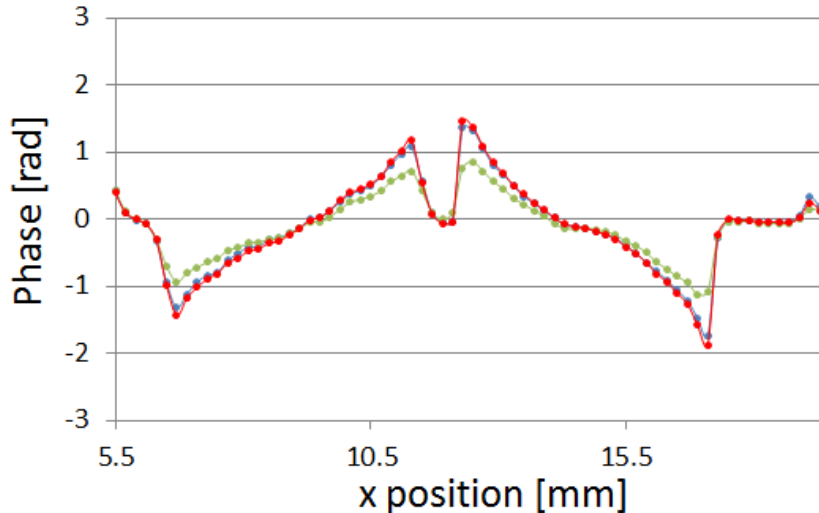
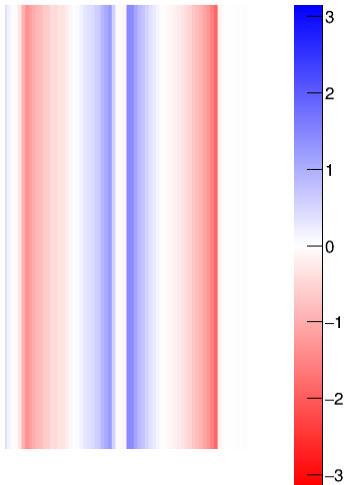
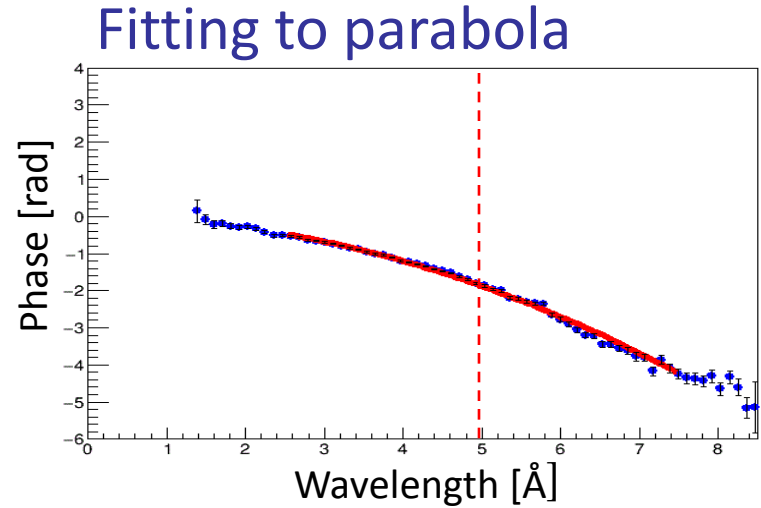
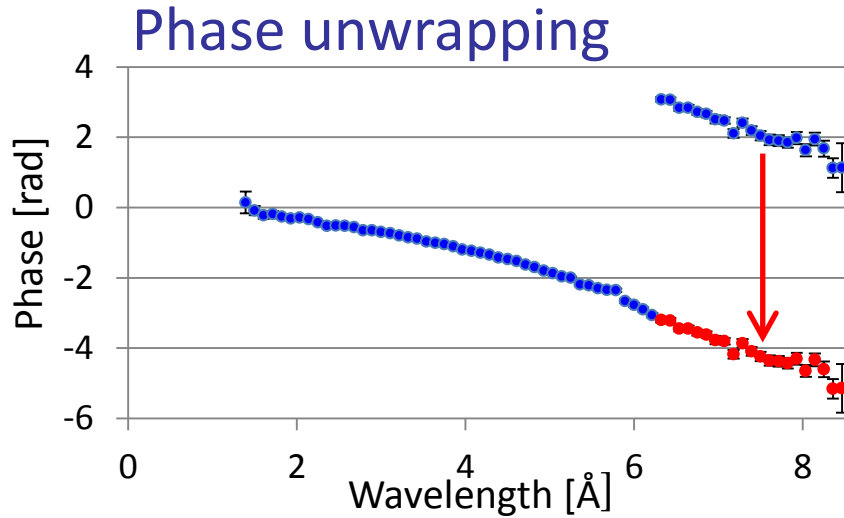
High contrast,
but noisy.



- $\Delta\lambda/\lambda = 50\%$
Stat. error $4 \times 10^{-3} \text{ rad}$
- $\Delta\lambda/\lambda = 2\%$
Stat. error $3 \times 10^{-2} \text{ rad}$

Wide wavelength band + TOF

Phase $\propto \lambda^2$



- $\Delta\lambda/\lambda = 50\%$
Stat. error 4×10^{-3} rad
- $\Delta\lambda/\lambda = 2\%$
Stat. error 3×10^{-2} rad
- $\Delta\lambda/\lambda = 50\% + \text{TOF}$
Stat. error 4×10^{-3} rad

High statistics,
and high contrast.

Summary

- Pulsed Talbot-Lau interferometry with TOF method at RADN, J-PARC.
- Differential phase contrast imaging with wide wavelength band (50%) and fine wavelength resolution ($\sim 3\%$).
- Phase analysis method with λ^2 dependence increases the dynamic range of phase detection in TL interferometer.
- Fabrication of absorption grating with Gd evaporation and imprinting of metallic glass
- Polarized TL interferometry