

## 中性子散乱による酵素ドメイン運動の観察

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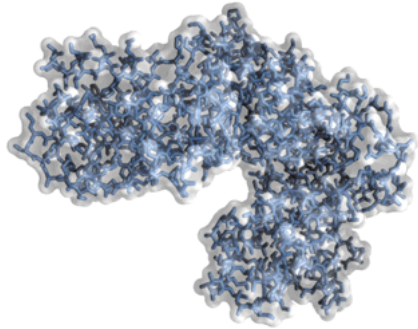
<sup>1</sup>京大化研, <sup>2</sup>IFF, FZJ, <sup>3</sup>ISB, FZJ, <sup>4</sup>JCNS, FZJ, <sup>5</sup>ILL

# Introduction

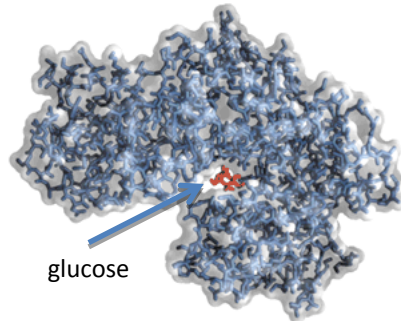
Functionality of enzyme



large-scale dynamical displacements by binding substrates



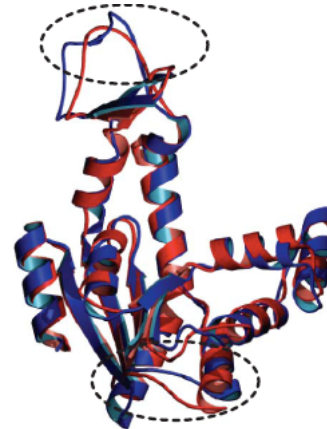
open configuration



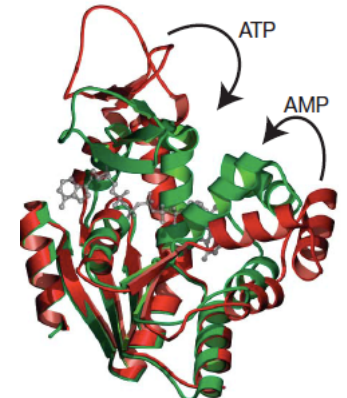
glucose

close configuration

locking of domains in hexokinase

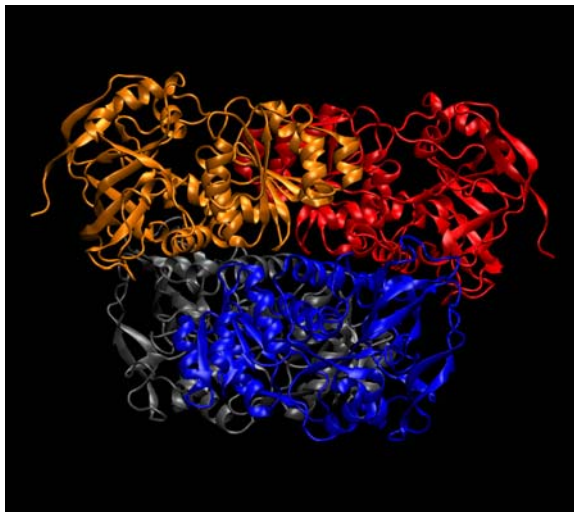


open configuration



close configuration

locking of domains in adenylate kinase



Cleft opening/closing motion of ADH

Thanks to ADH, we can drink beer!!

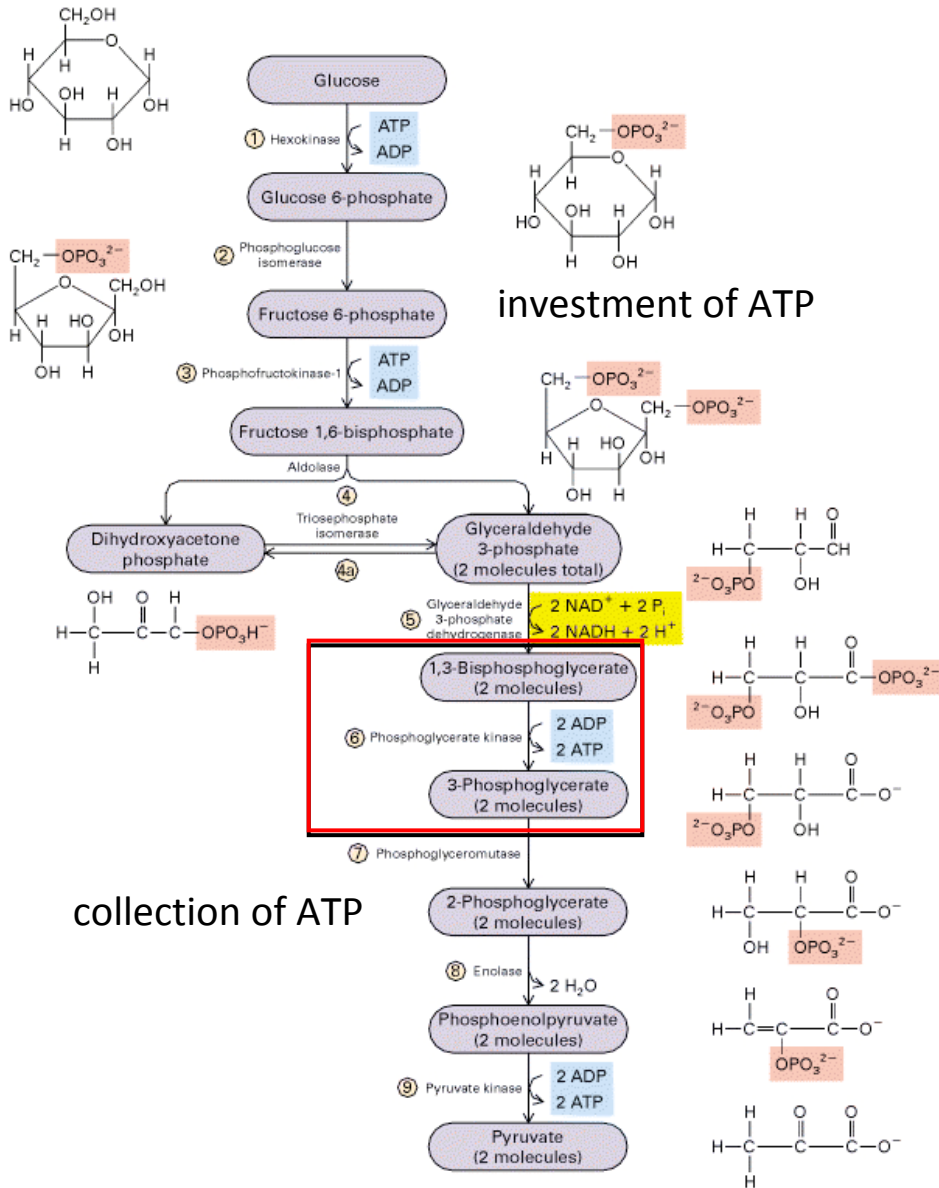
Benefit ?

1. increasing the specificity of transfer reactions.
2. facilitating the transfer of atomic or functionality group.
3. shielding active center away from water.

Configuration change of enzyme is quite universal!!

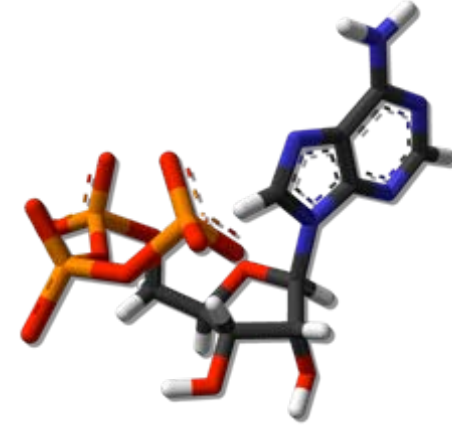
phosphoglycerate kinase (PGK)

PGK is involved in the glycolytic process.



What is ATP?

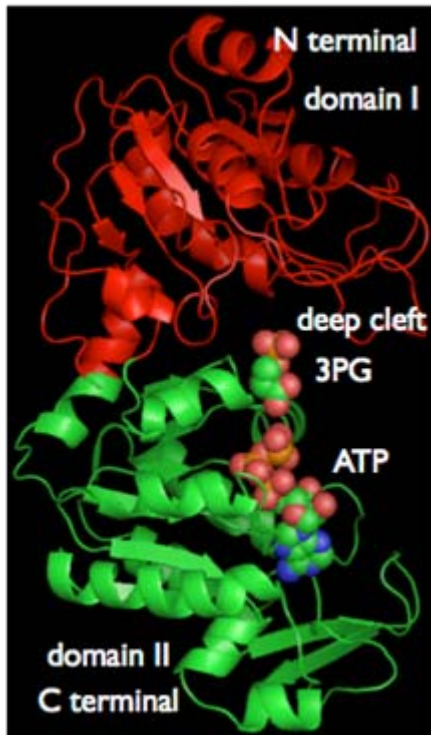
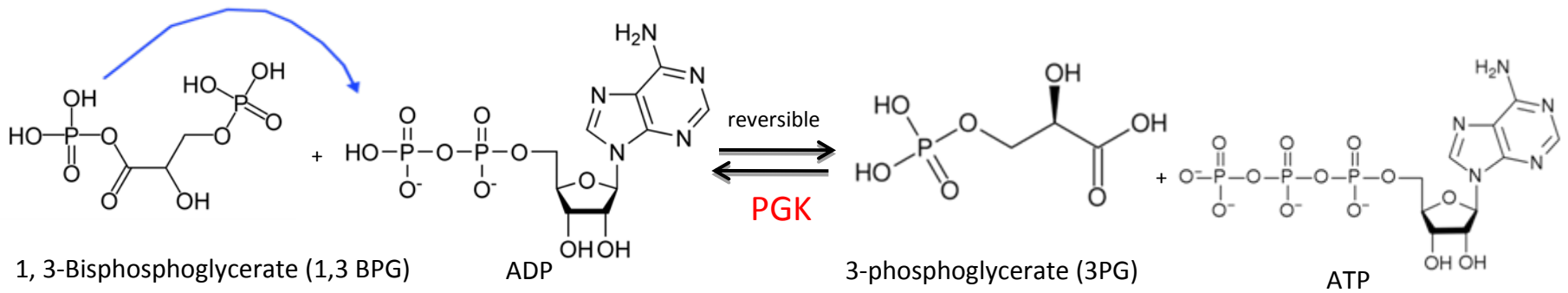
adenosine-5'-triphosphate (ATP)



ATP is multifunctional nucleotide, and is **most** important in cell biology as a coenzyme that is the "**molecular unit of currency**" of intracellular energy transfer and normal concentration of ATP inside cell is 1~10mM.

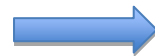
What is PGK?

first step for the production of ATP in the glycolytic pathway

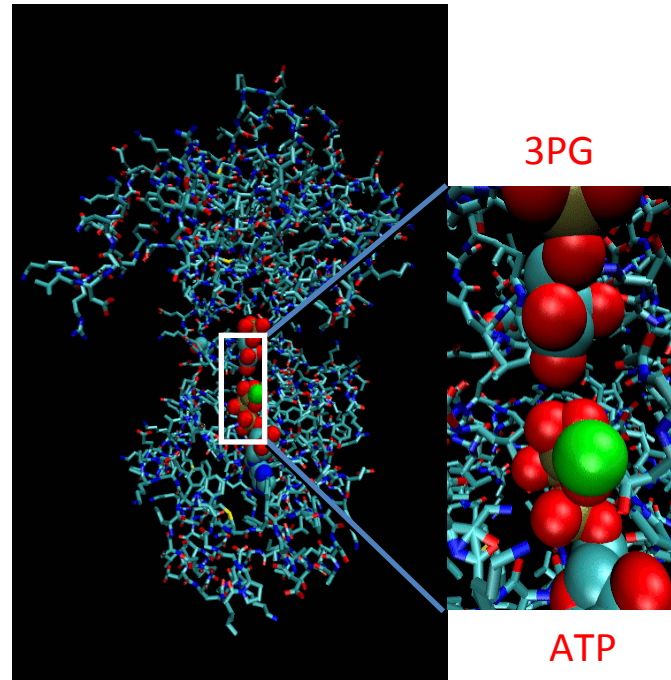


In open configuration, active sites for both substrates are separated about 12Å.

too far away from each other and not favorable for reaction

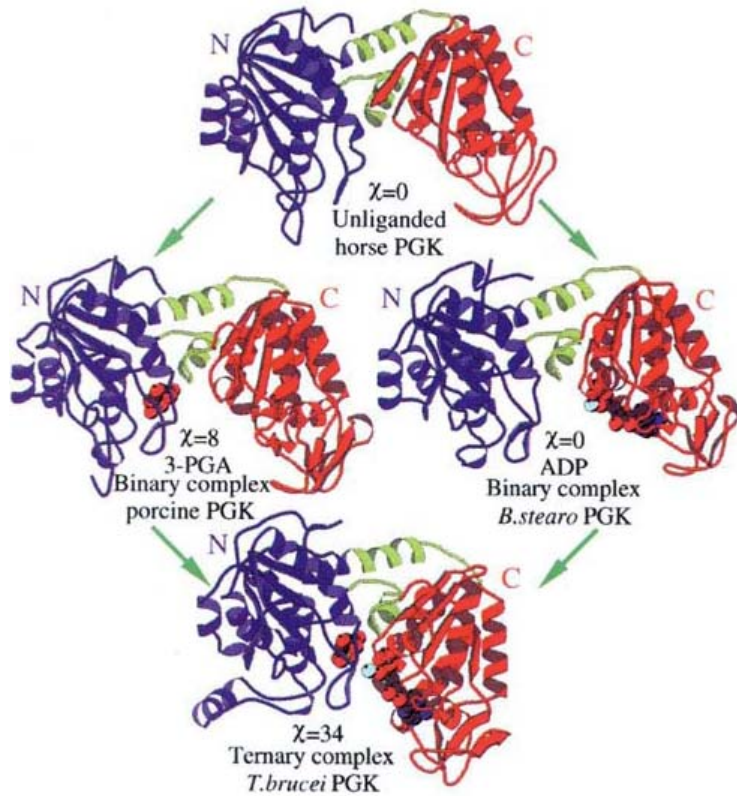


the idea of hinge-bending motion by Banks et al. (1986)



Crystalline structure of PGK

# Experimental evidence of Hinge-bending motion of PGK



hinge closure increased by binding substrates

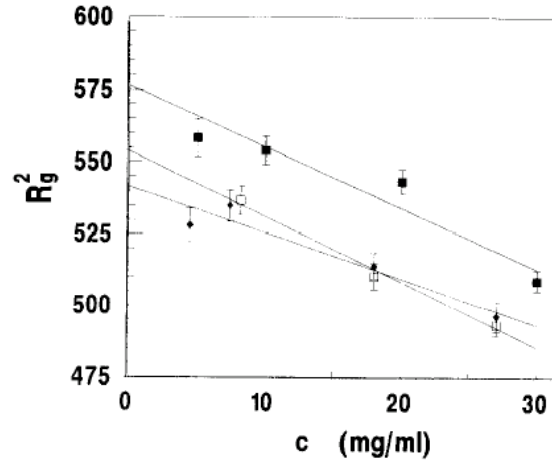


Fig. 3. Plot of  $R_g^2$  against  $c$  for the 3 sulphate-free cases: (■) nativ PGK; (□) PGK + CrATP; (◆) PGK + PGA + CrATP.

decrease of  $R_g$  by binding substrates

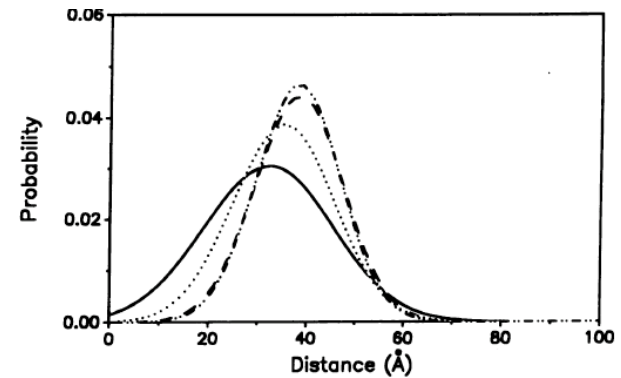
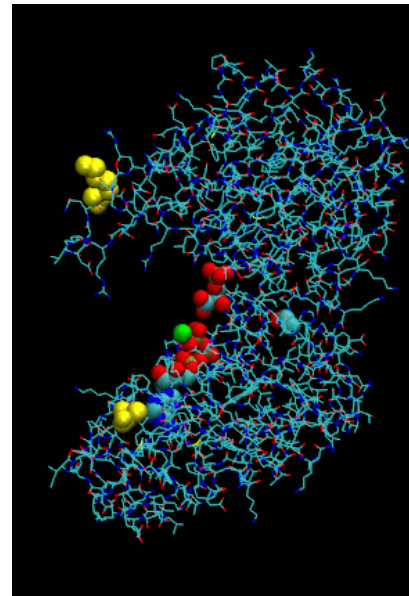
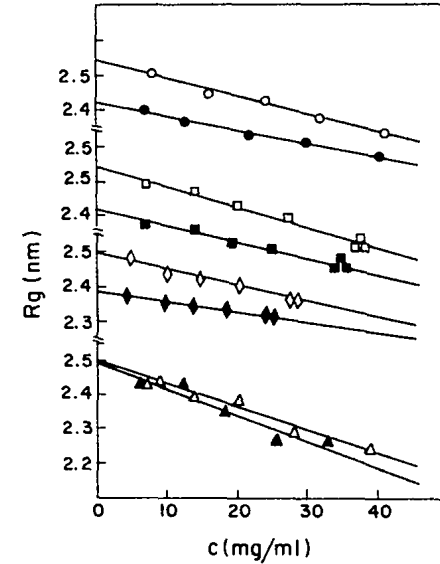
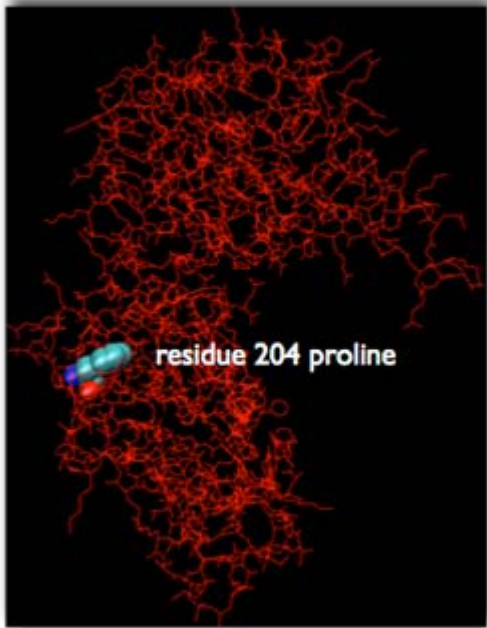


FIG. 4. Interprobe equilibrium distance distribution function without substrates (—), in the presence of ATP (- - -), in the presence of 3-PG (· · ·), and in the presence of ATP and 3-PG (- · -).

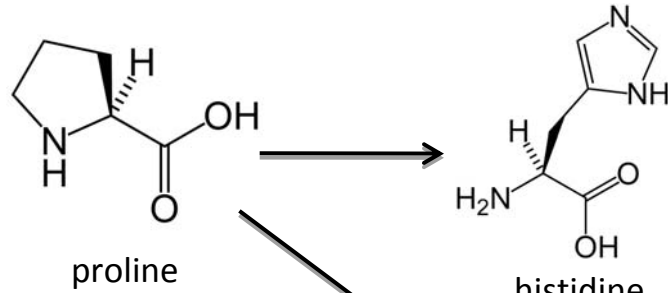
change of distribution function



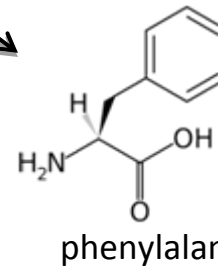
# Is Hinge-bending motion important for PGK?



residue 204 proline belongs to Helix 7 (hinge region).

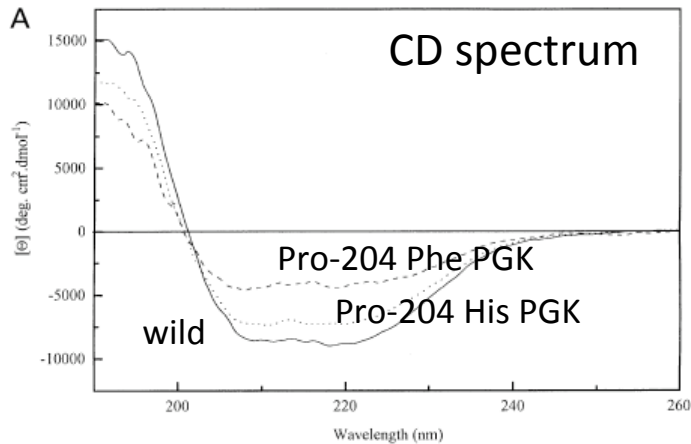


Pro-204 His PGK



Pro-204 Phe PGK

What happened to PGK?



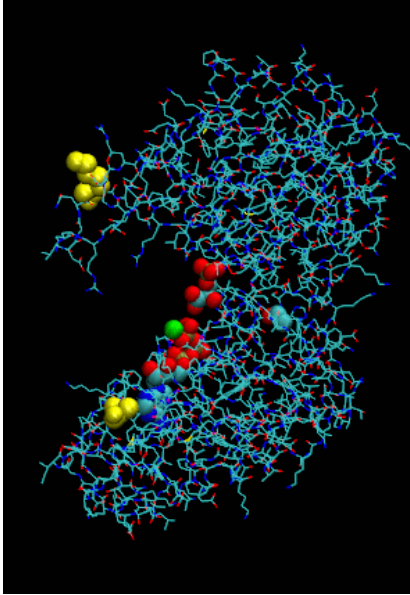
	specific activity (EU mg <sup>-1</sup> )	catalytic efficiency
wild PGK	468	460000
Pro-204 His PGK	4.5	1360
Pro-204 Phe PGK	1.4	-

hinge-bending motion is strongly related to PGK's activity.

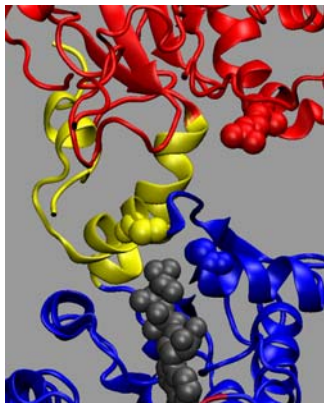
change of secondary structure

# Purpose of this work

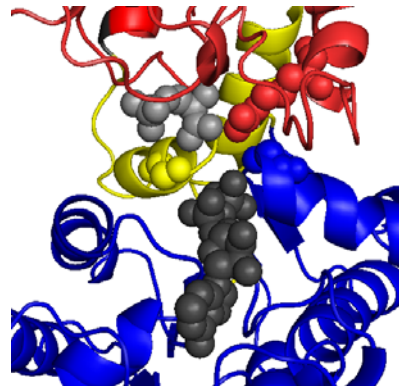
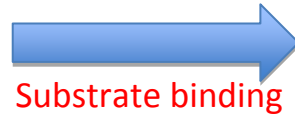
1. Direct observation of hinge-bending motion of PGK.



2. substrate induced configuration change of PGK. (more than change of Rg)



open configuration



close configuration

# Experimental

protein

phosphoglycerate kinase (PGK) (from Baker's yeast)

molecular weight  $M=44607$  Da,  $R_g \sim 23.9 \text{ \AA}$  (from crystalline structure)

$C_{2009}H_{3232}N_{536}O_{599}S_4$

substrates

MgATP (complexed with Mg),  $M=507.181$ ,  $C_{10}H_{16}N_5O_{13}P_3$

3-phospho-D-glycerate,  $M=186.058$ ,  $C_3H_7O_7P$

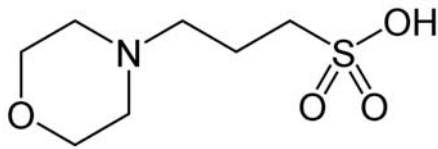
buffer condition (pD=7.4)

$D_2O$

50mM NaCl

20mM MOPS

2mM EDTA



sample preparation

PGK suspension  
with  $(NH_4)_2SO_4$



centrifuge 6000g  
20min



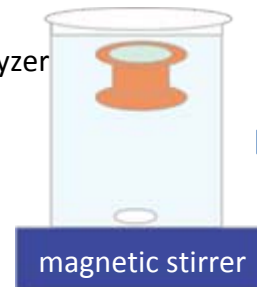
supernatant  
pellet of PGK

10K concentrator



Centrifuge 4500xg  
10min x several times  
step by step

dialyze against buffer for 1 night



further centrifuge and  
filter



# Instrumental

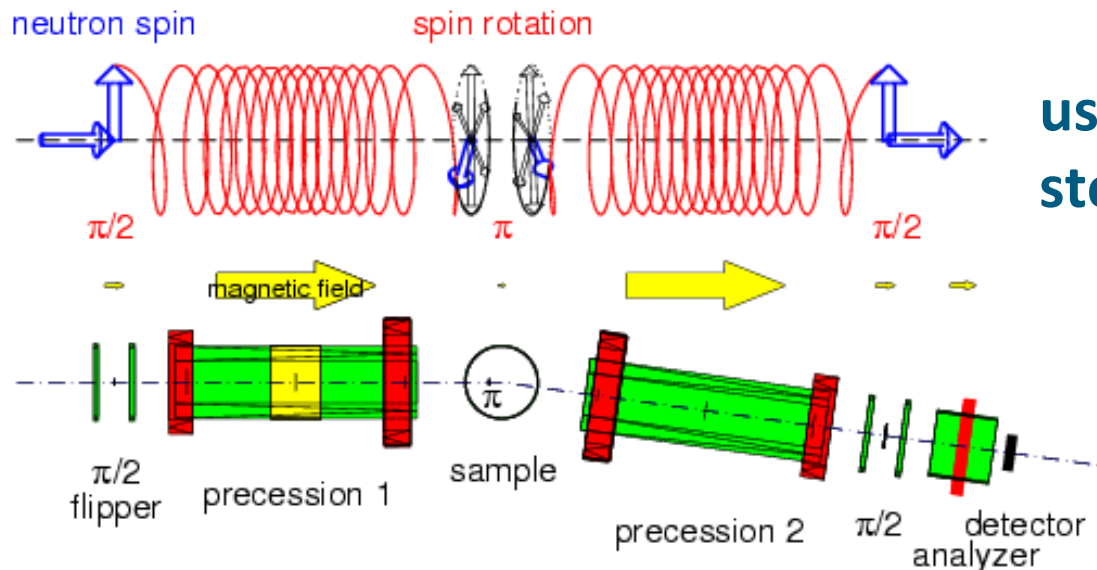
circular dichroism (CD): spectroscopy: Jasco J-810

Fluorescence spectroscopy: RF-1501 fluorospectrometer and LS55 luminescence spectrometer

dynamic light scattering (DLS): ALV-5000 at  $T=10^{\circ}\text{C}$

small angle neutron scattering (SANS): KWS 1, at FRM II  $\lambda = 4.5\text{\AA}$  at  $T=10^{\circ}\text{C}$

neutron spin echo (NSE): IN15, at ILL  $\lambda = 6.3\text{\AA}, 8.0\text{\AA}, 10\text{\AA}, 12\text{\AA}$  and  $15.9\text{\AA}$  at  $T=10^{\circ}\text{C}$

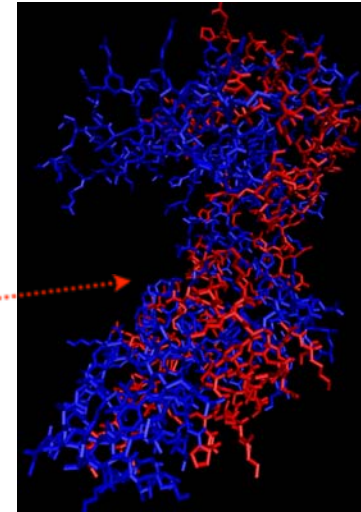
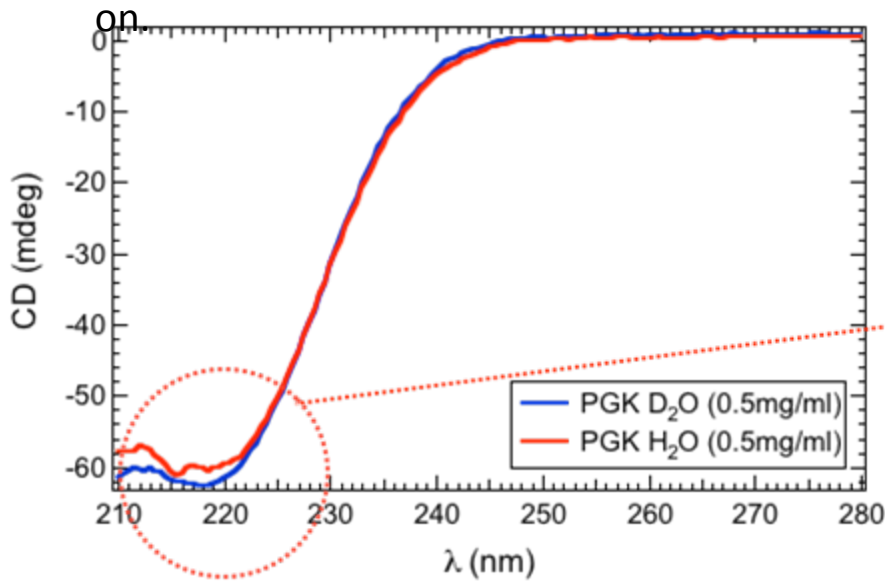


**use the neutron spin as  
stop watch ...**

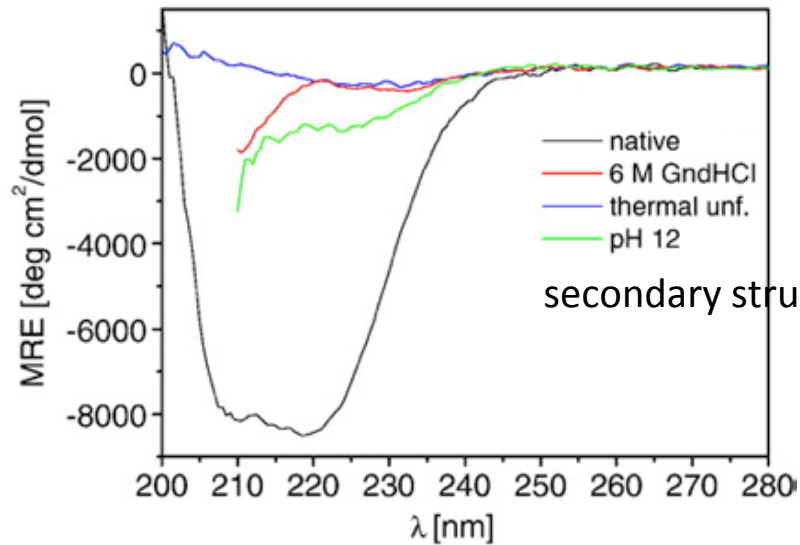
**...to detect tiny  
velocity changes**

# CD spectroscopy (secondary structure) D<sub>2</sub>O effect?

secondary structure:  $\alpha$  helix,  $\beta$  sheet, strand, helix and so



red part is  $\alpha$  helix of PGK.

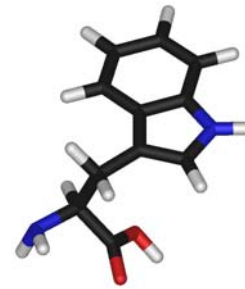
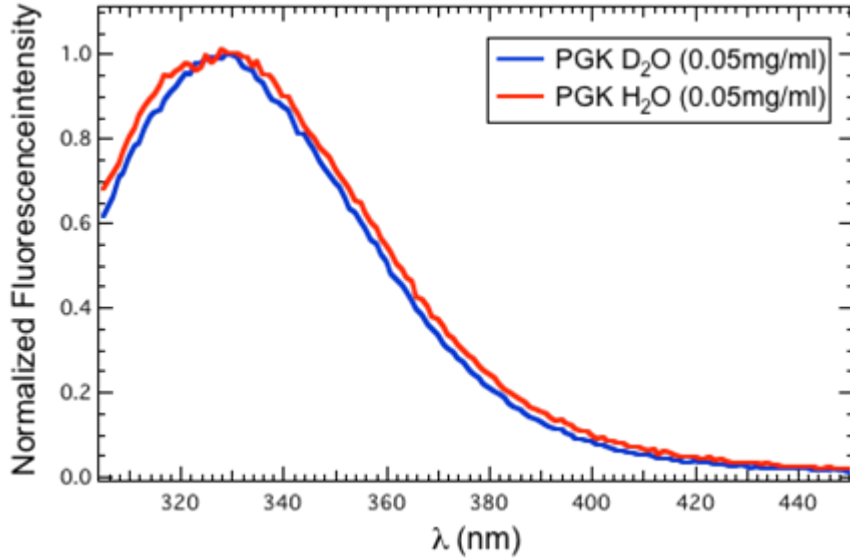


secondary structure becomes obscure by unfolding.

PGK is still native in D<sub>2</sub>O buffer like in H<sub>2</sub>O buffer.

# Fluorescence spectroscopy

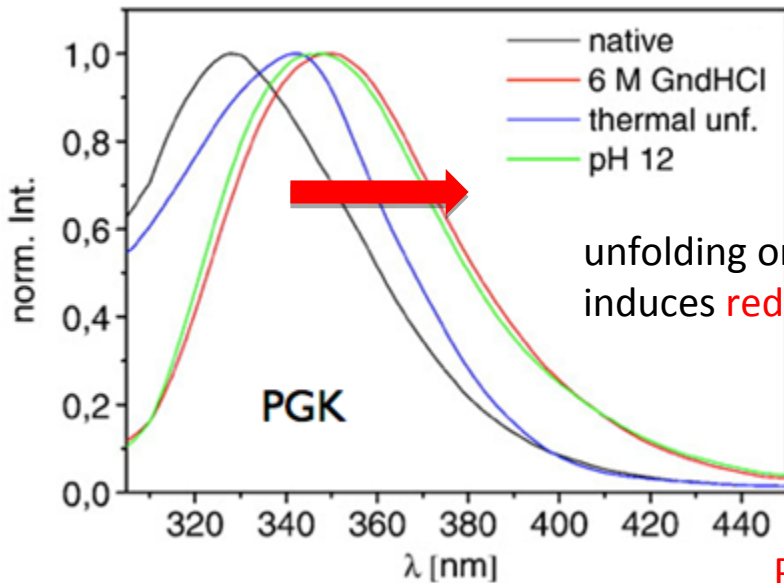
information from hydrophobic amino-acids tryptophan



tryptophan



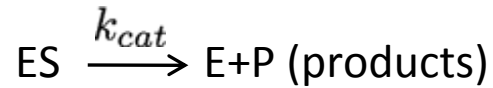
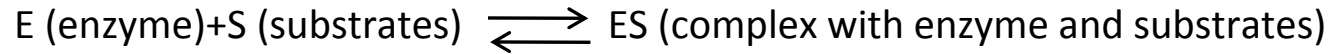
sensitive to environmental polarity



unfolding or aggregation induces red-shift.

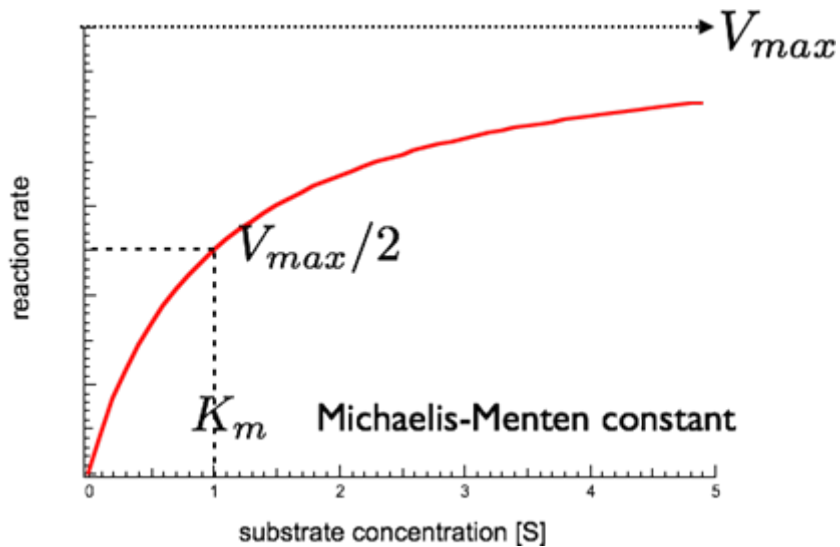
PGK is still native in D<sub>2</sub>O buffer like in H<sub>2</sub>O buffer.

## determination of substrates concentrations I

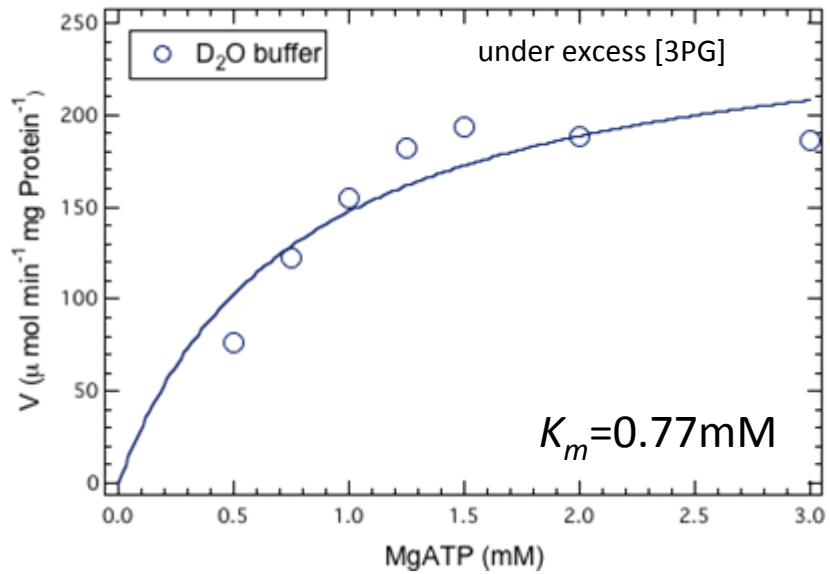


reaction rate  $v = k_{cat}[ES]$

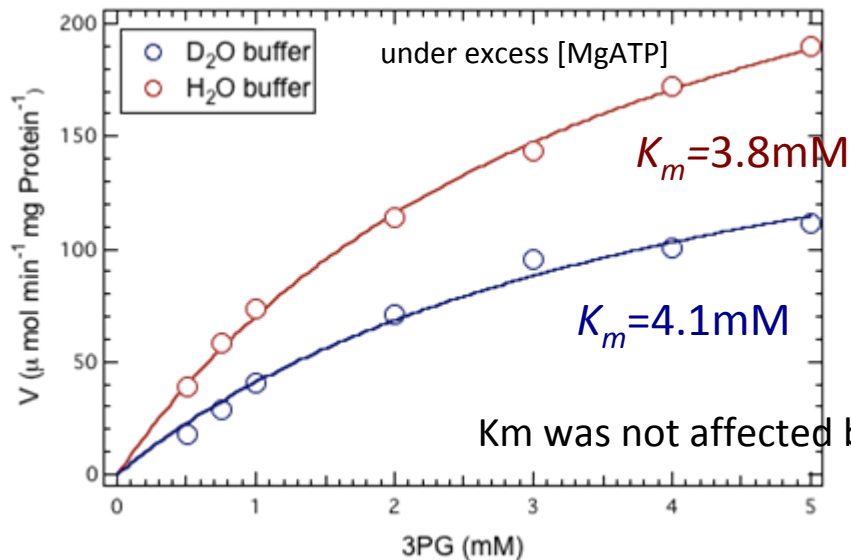
$$v = \frac{k_{cat}[E][S]}{K_m + [S]} = \frac{V_{max}[S]}{K_m + [S]}$$



## determination of substrates concentrations II



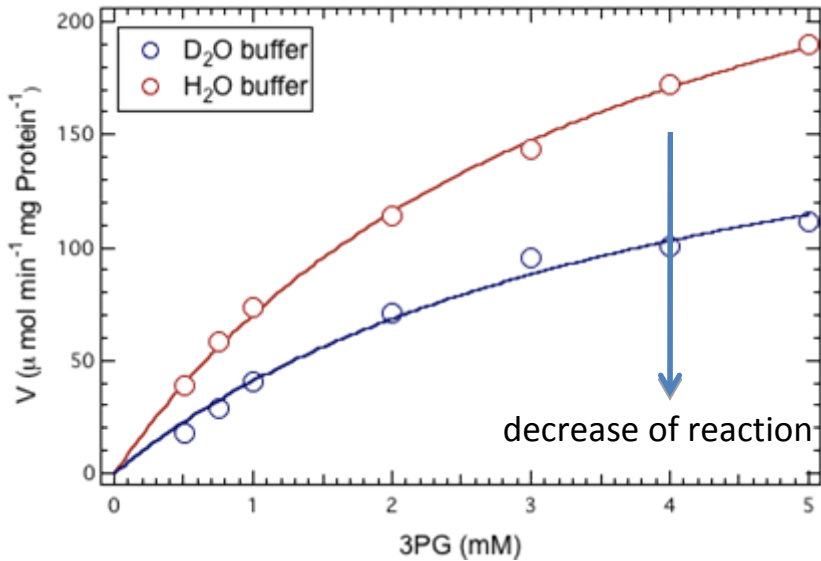
→ final concentration  $[\text{MgATP}] = 8.0\text{mM}$



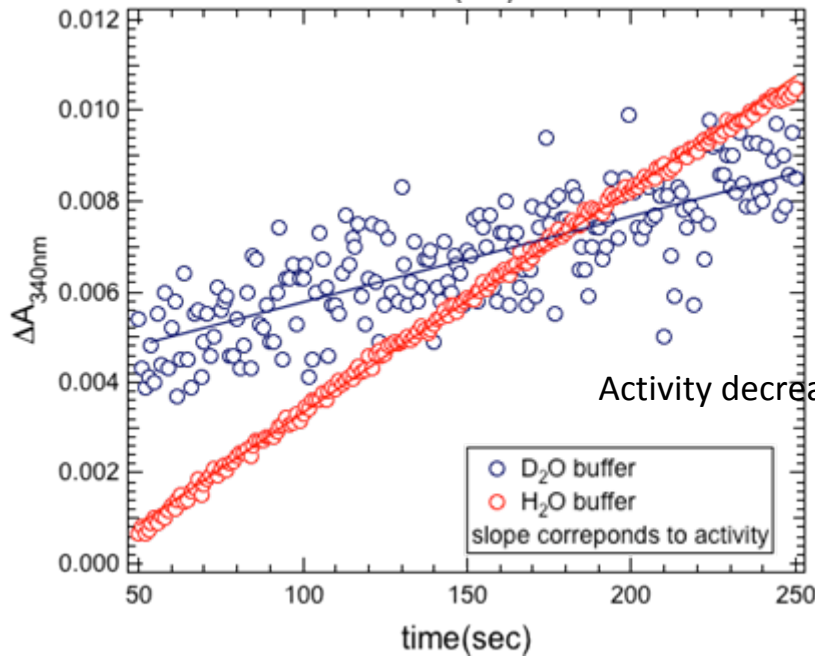
→ final concentration  $[\text{3PG}] = 41\text{mM}$



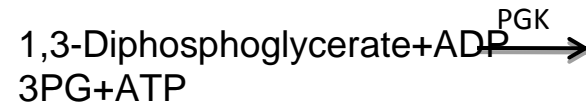
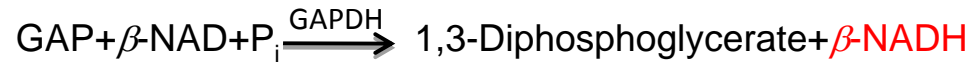
# D<sub>2</sub>O effect?



decrease of reaction rate for D<sub>2</sub>O buffer.

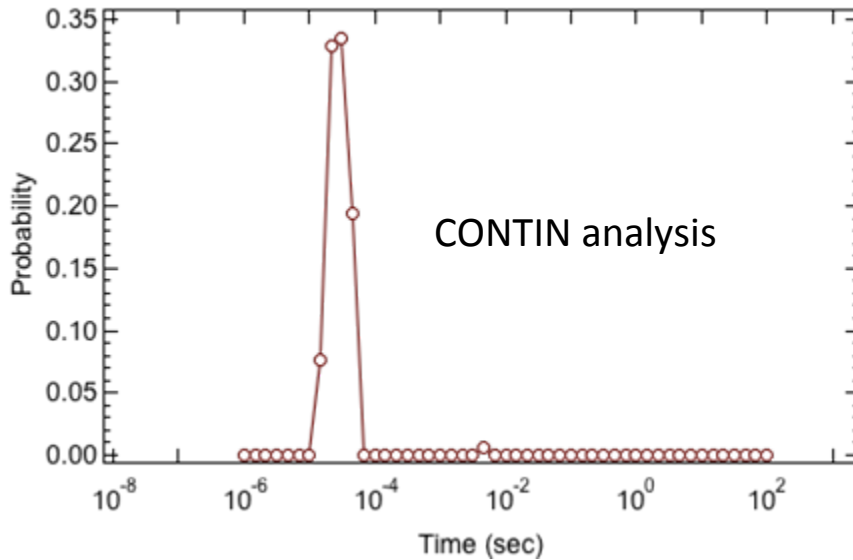
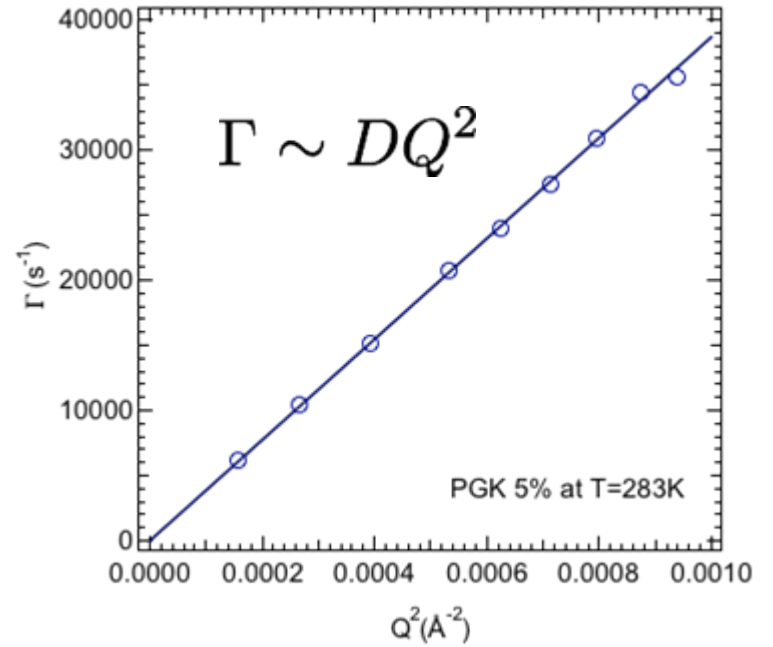
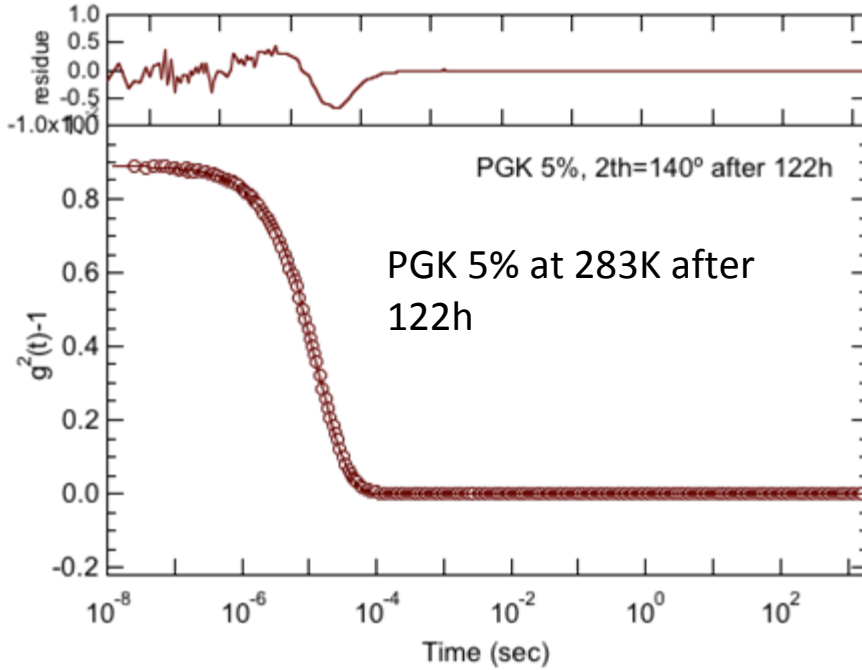


Activity decreased for D<sub>2</sub>O buffer.



Viscosity? or other factor?

# Sample stability?



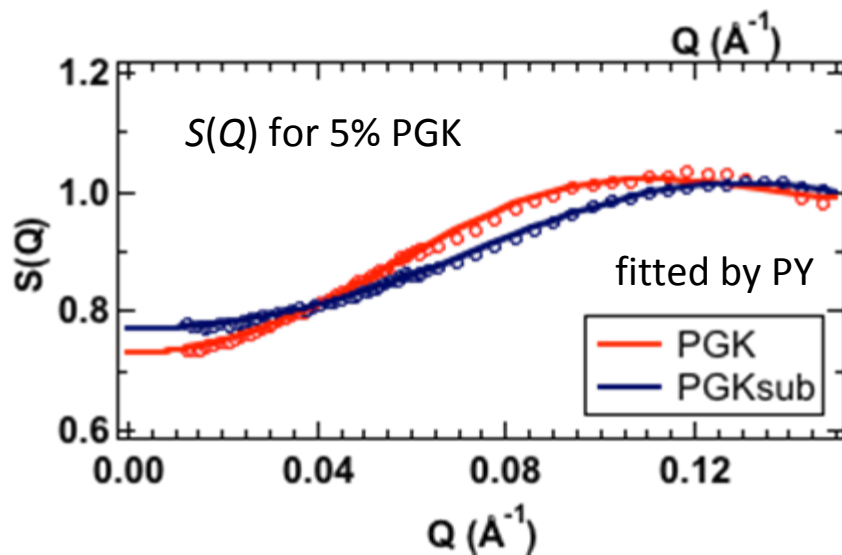
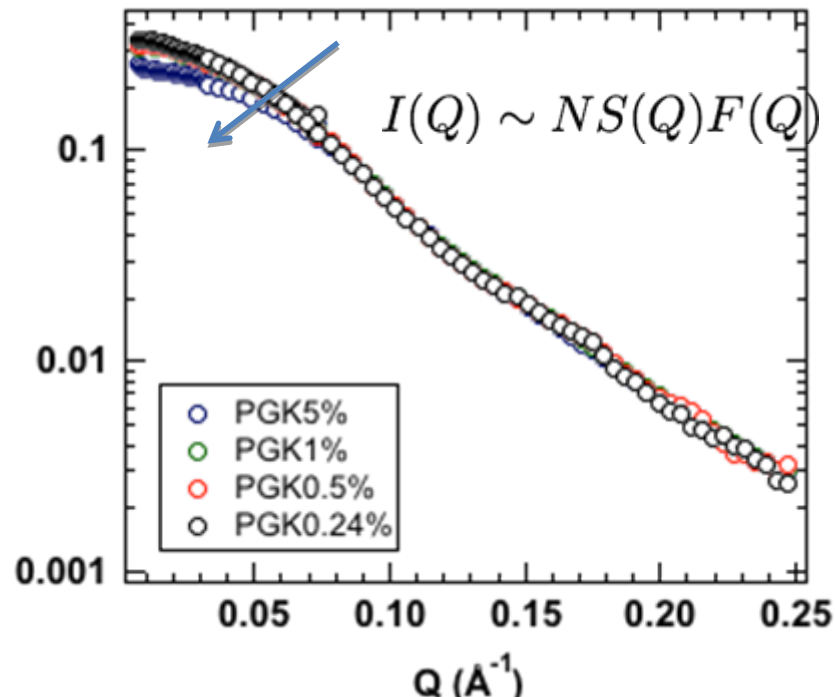
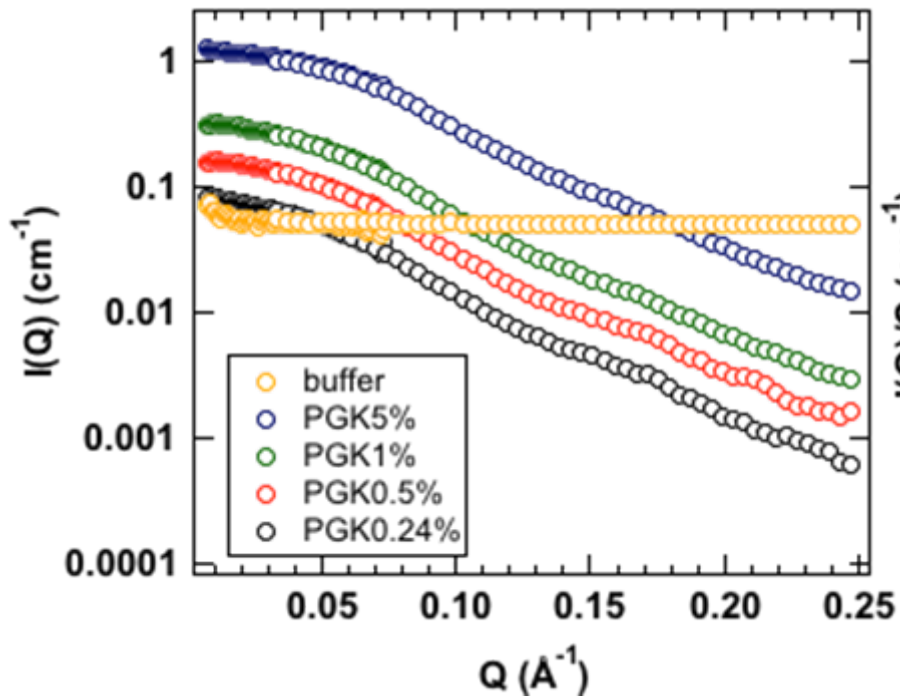
quite mono-disperse even at highest concentration at 283K



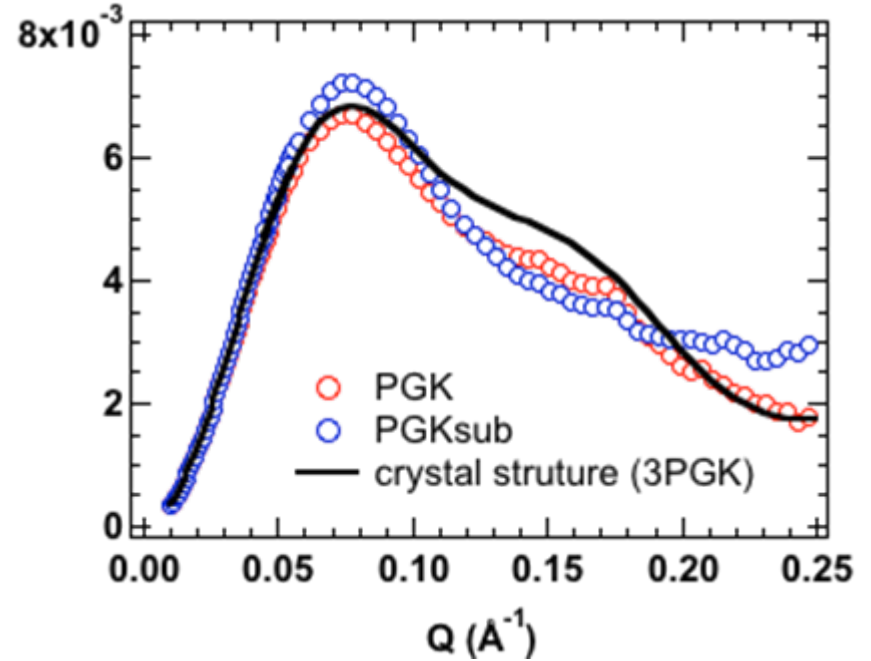
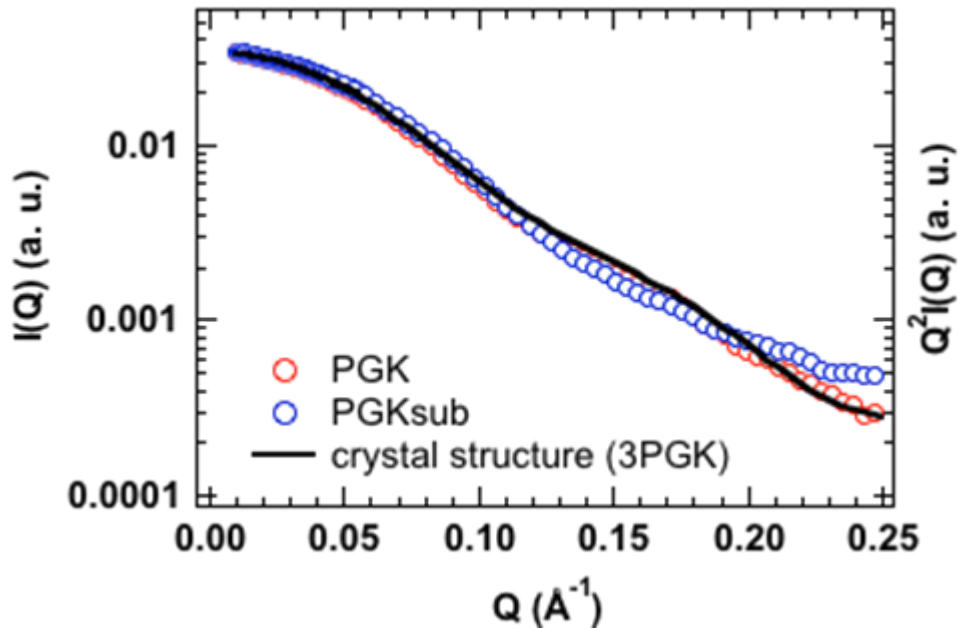
Possible for NSE experiments

Static : SANS

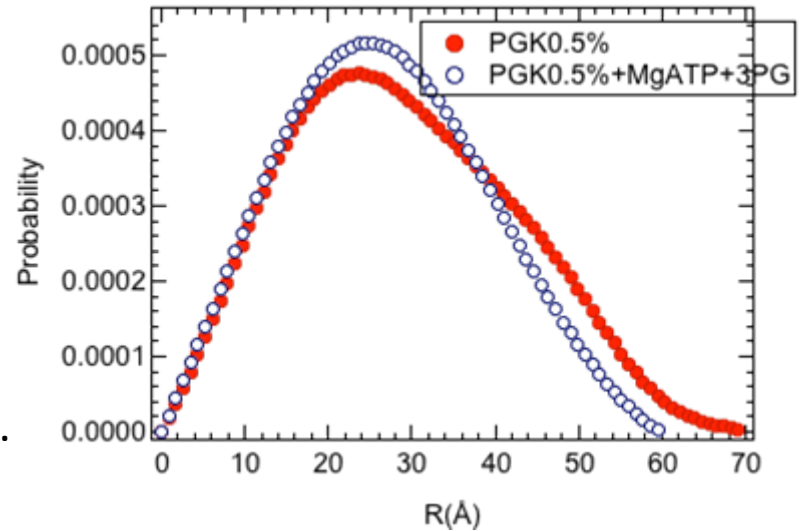
# SANS profile



# SANS profile form factor for PGK and PGKsub



	$R_g$ ( $\text{\AA}$ )
PGK (crystal)	23.9
PGK	23.7
PGKsub	22.5



1. PGK in solution has a more compact structure.
2. Substrate induced configuration change.



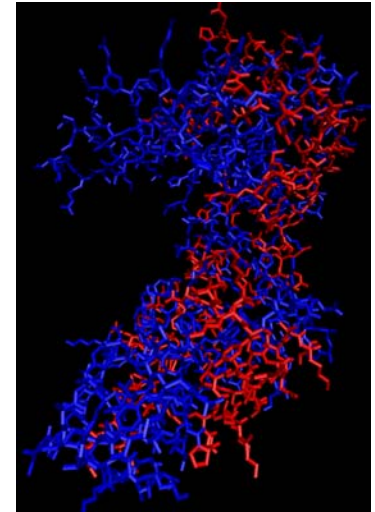
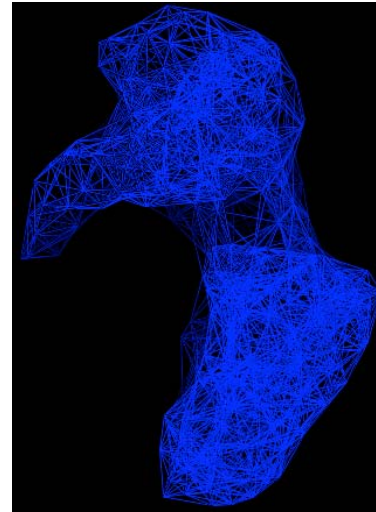
Different approach is needed!



# Elastic normal mode

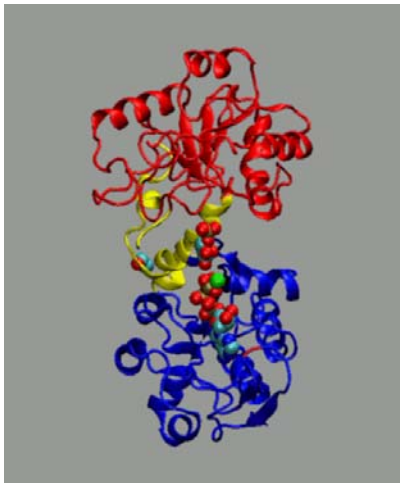
From web service calculation eINémo

single parameter harmonic potential with a simplified protein model having only **one point mass per residue** is enough for low frequency NM.



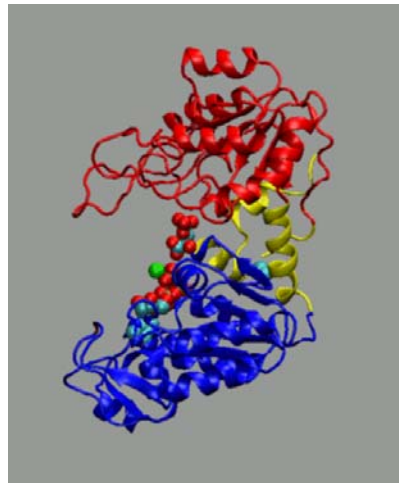
Elastic normal mode + original crystal structure  PGK in solution

NM 7



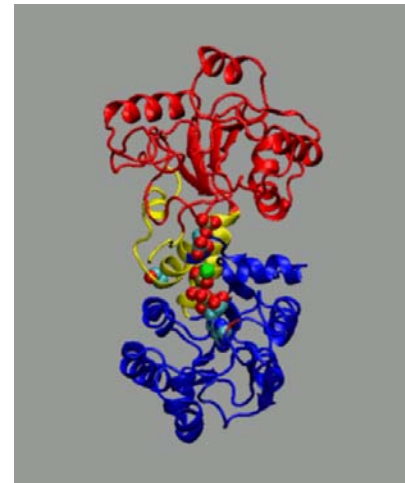
twisting

NM 8



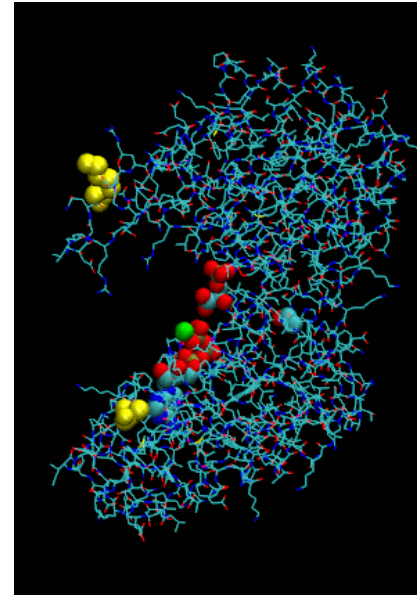
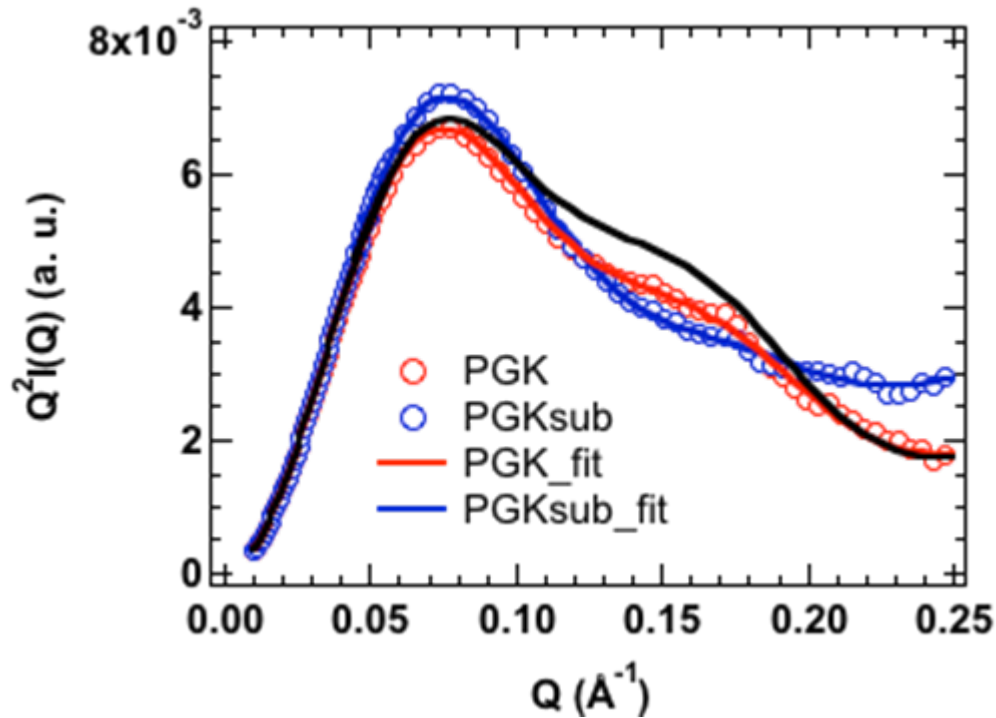
rocking

NM 9



rocking

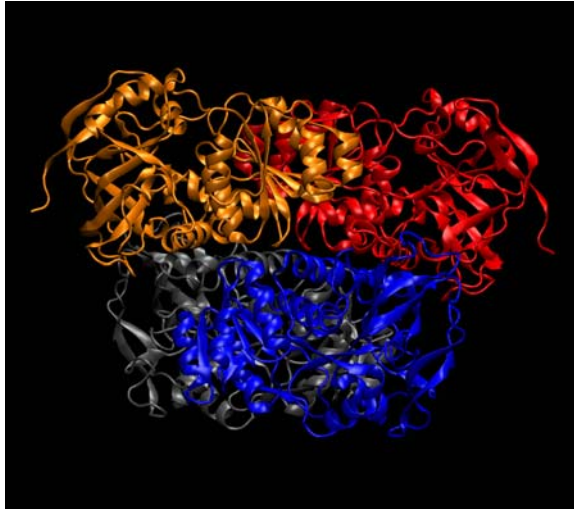
# Elastic normal mode + original crystal structure



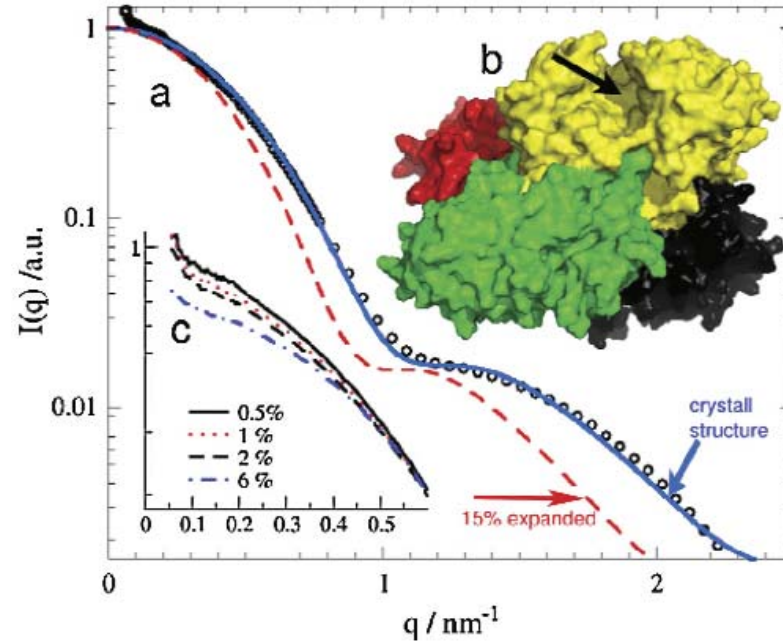
Mean atomic displacement mode [7, 8, 9]	Rg (Å)	Distance <sub>38-371</sub> (Å)	
[-1.4, 0.3, 2.2]	23.5	11.4	Near the active center
[-0.6, -3.4, 0.3]	22.9	8.2	More compact structure

Low frequency NMs help to describe the PGK structure in solution.

The crystal structure cannot describe the protein structure in solution?



tetramer of ADH



Crystal structure can describe the structure in solution for ADH.

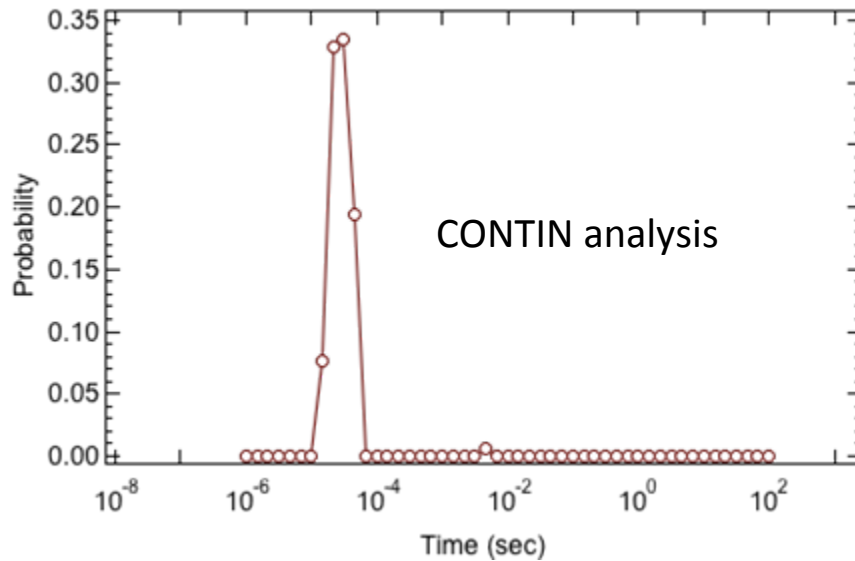
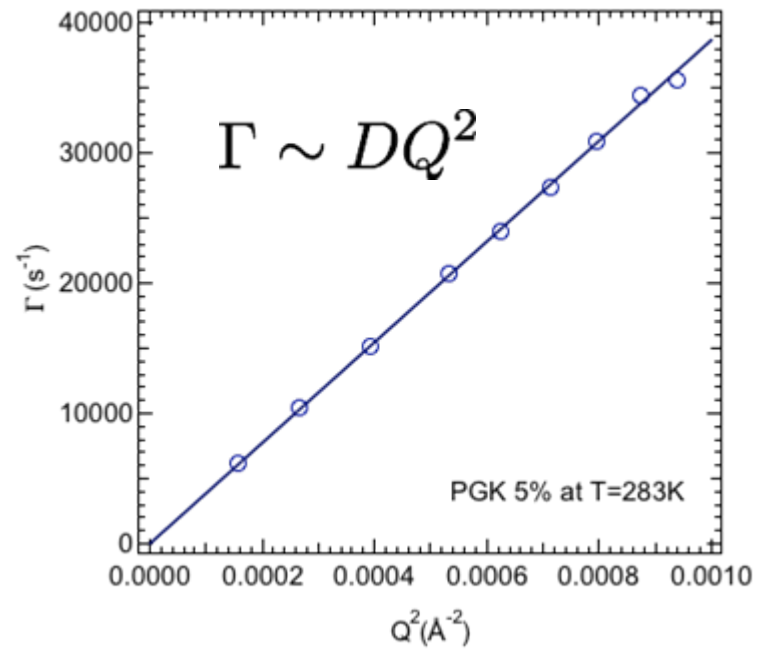
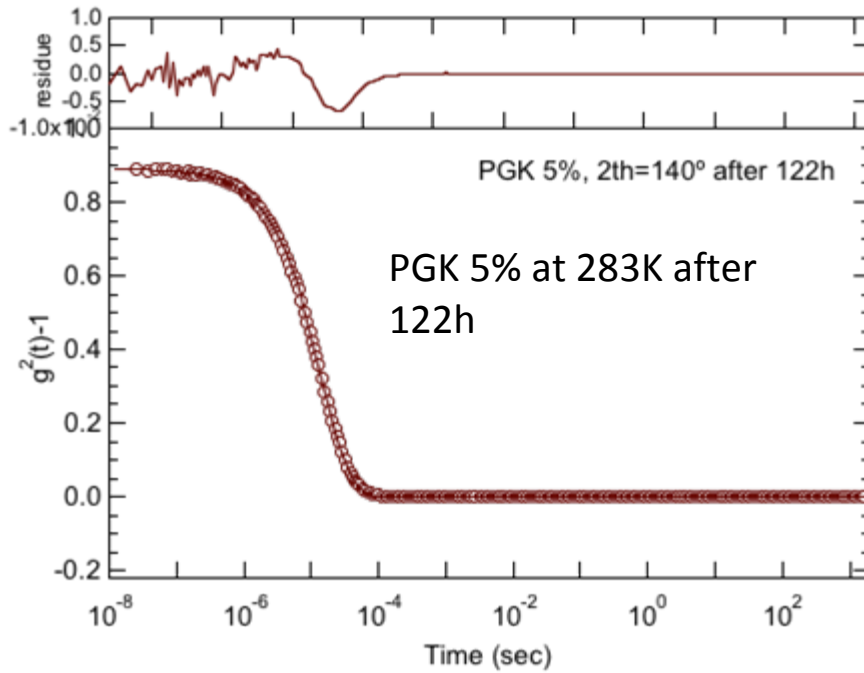


For rigid protein, the crystal structure might be used for the protein in solution.

PGK is a quite flexible protein.

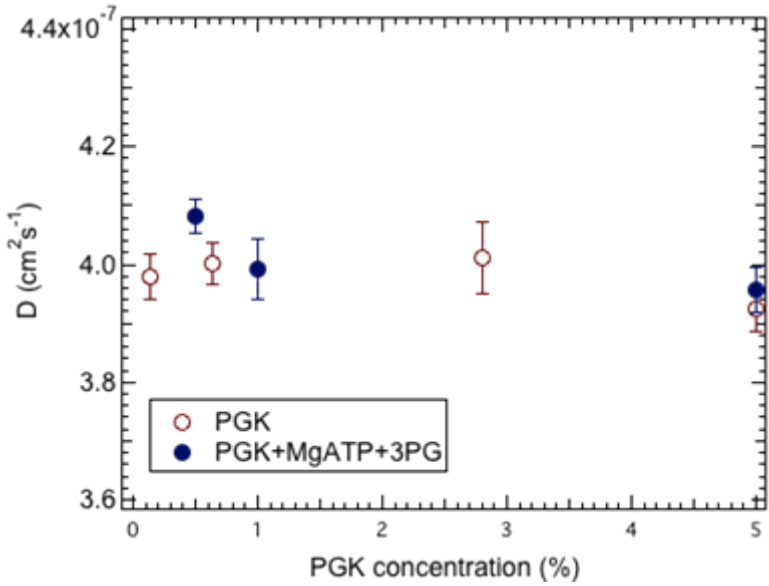
## Dynamics: DLS and NSE

# DLS





# DLS for PGK and PGKsub

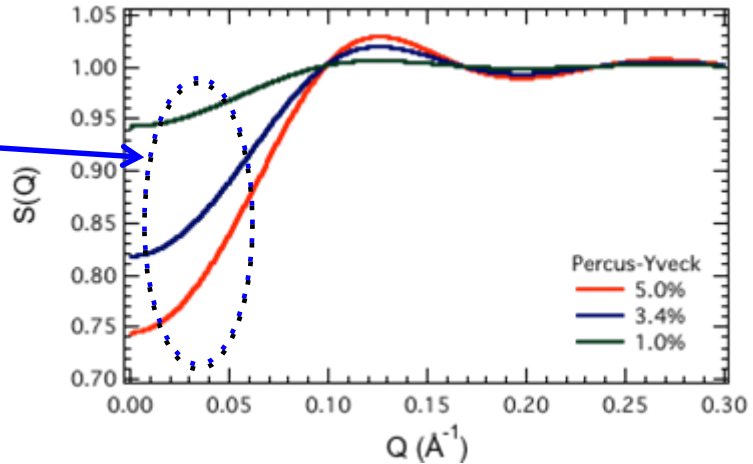


1. no difference between with and without substrates .

2. no concentration dependence of  $D$  in spite of large concentration dependence of  $S(Q)$ .

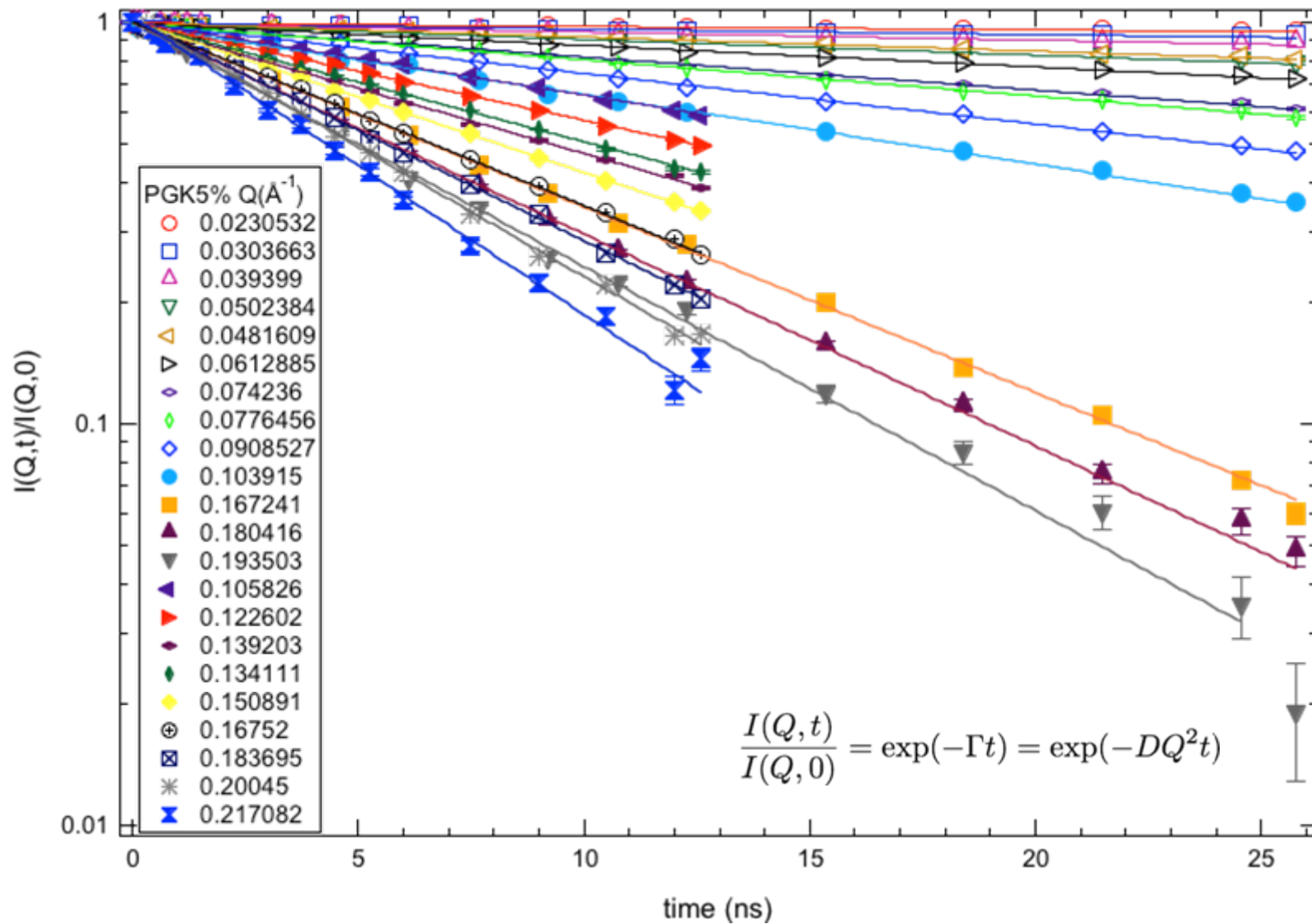
$$D(Q) = D_0 \frac{H(Q)}{S(Q)}$$

$H(Q)$ : hydrodynamic interparticle interactions

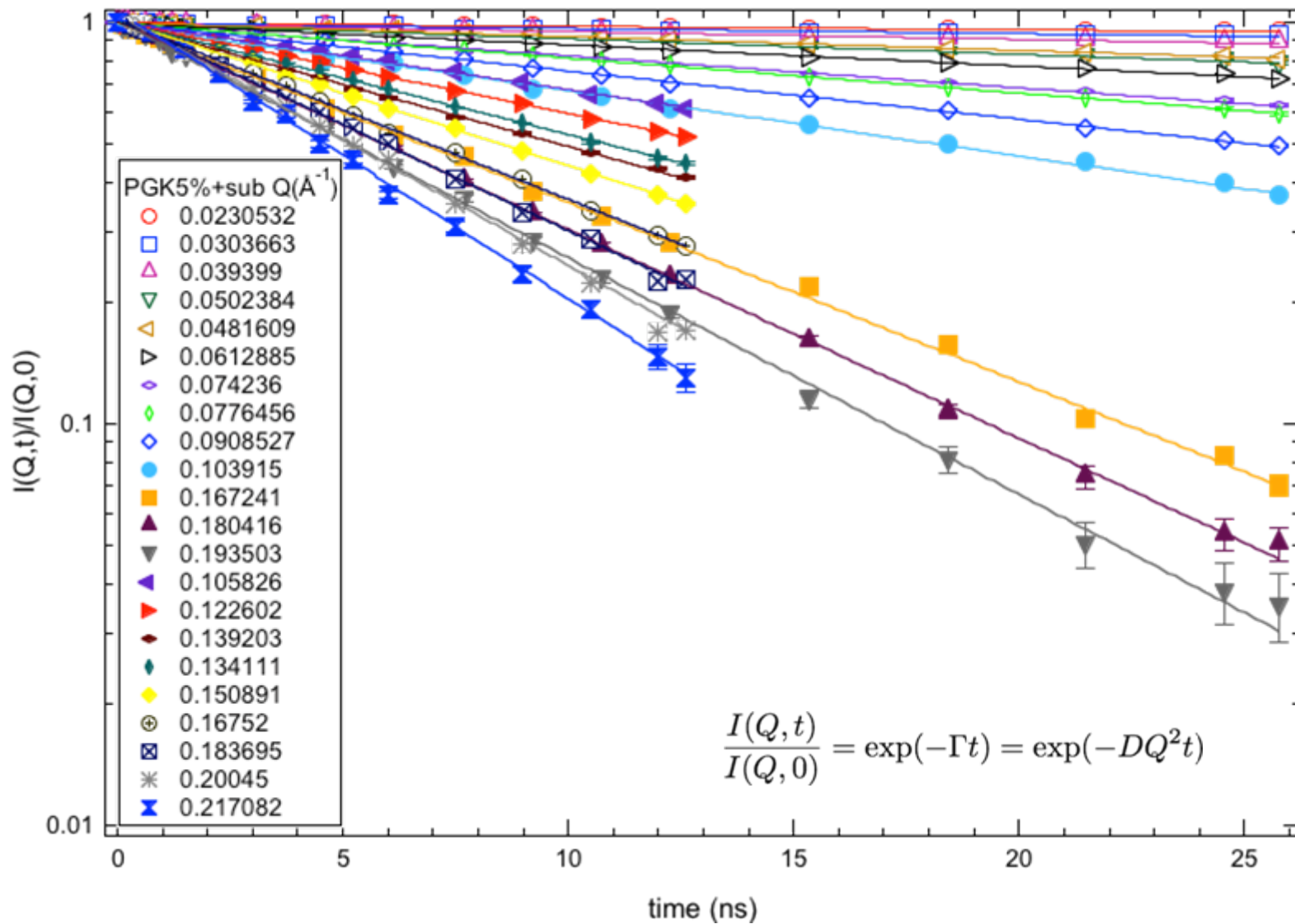


$H(Q)$  cancel out the  $S(Q)$  effect at low  $Q$  region !!

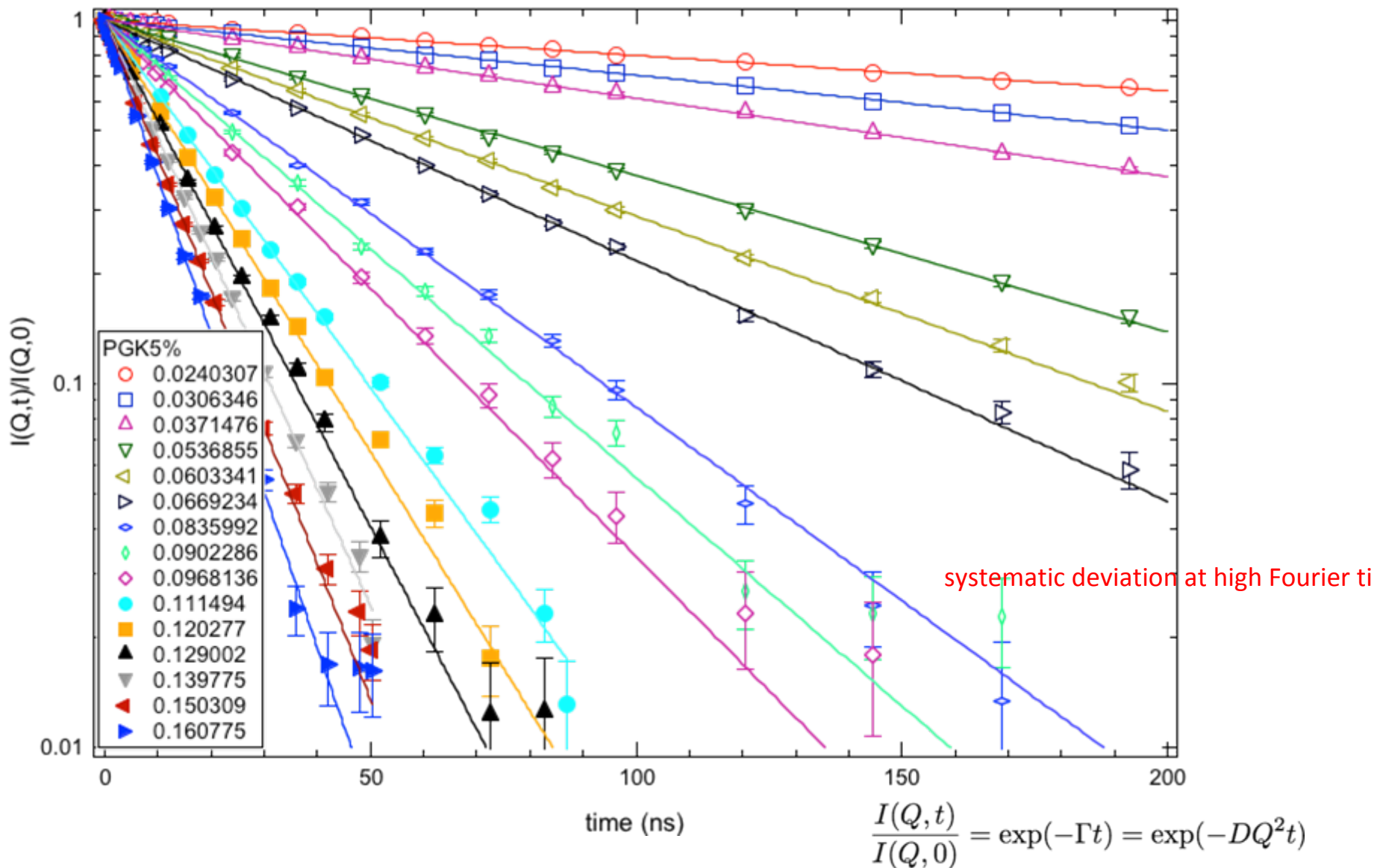
# NSE: intermediate scattering function (short wavelengths)



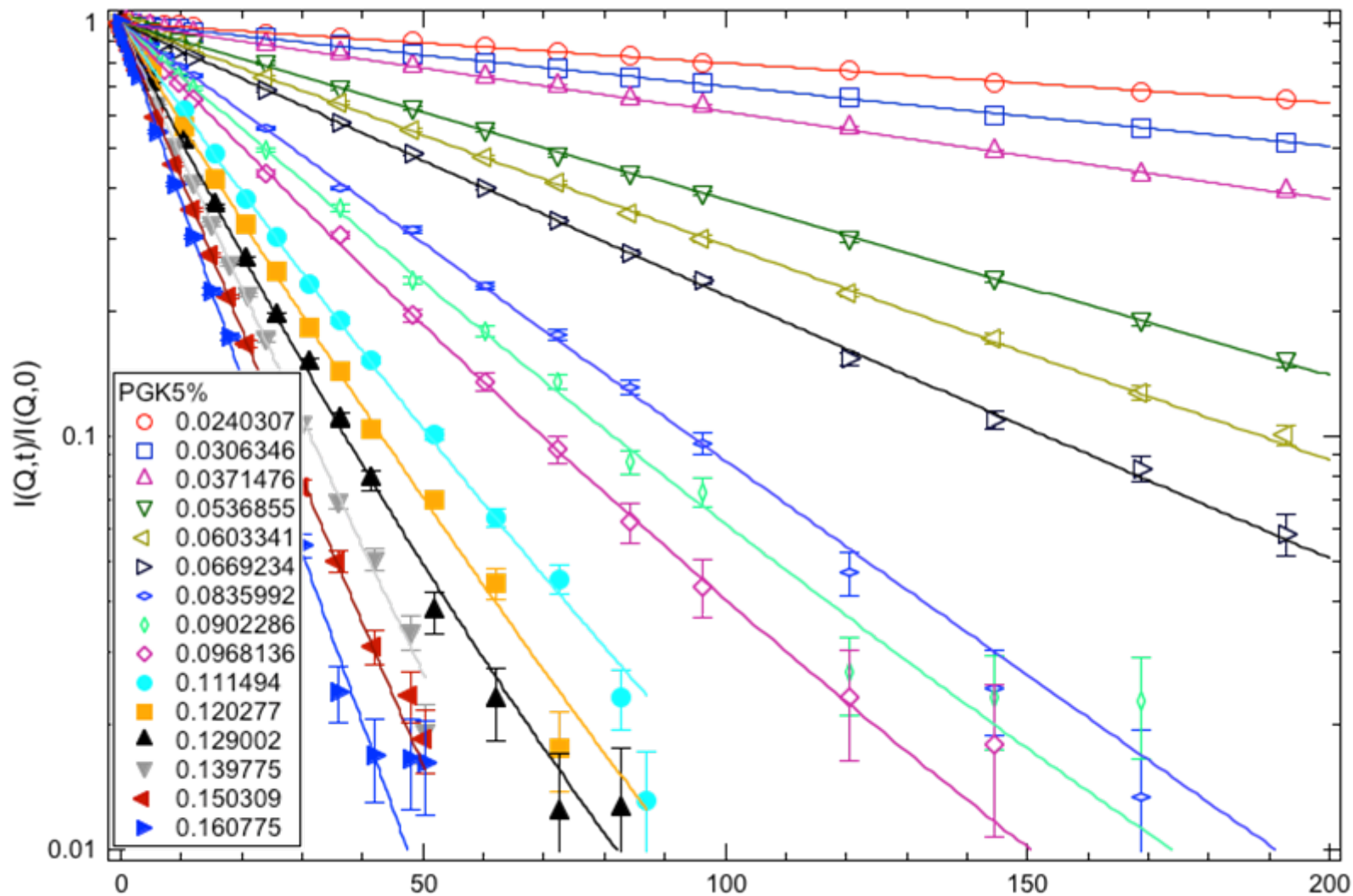
# NSE: intermediate scattering function (short wavelengths)



# NSE: intermediate scattering function (long wavelengths)

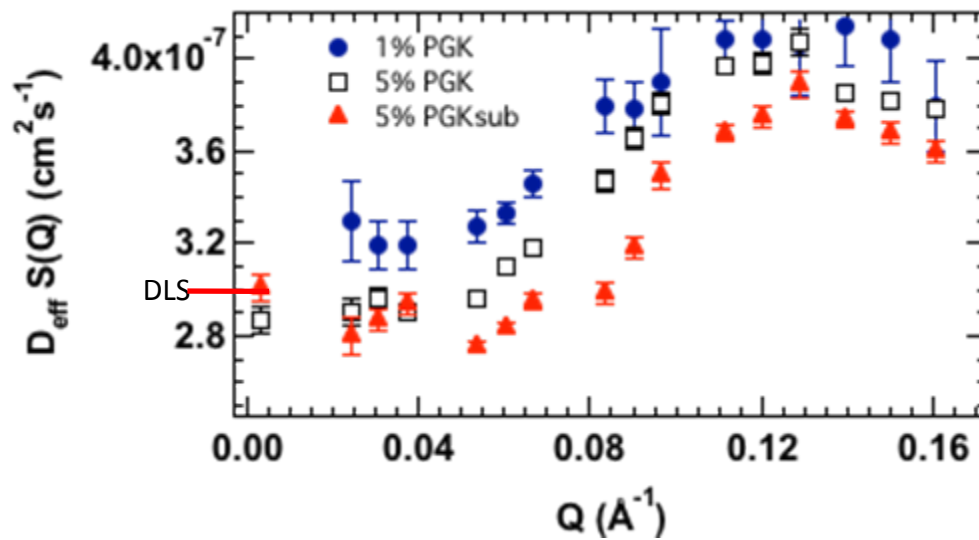
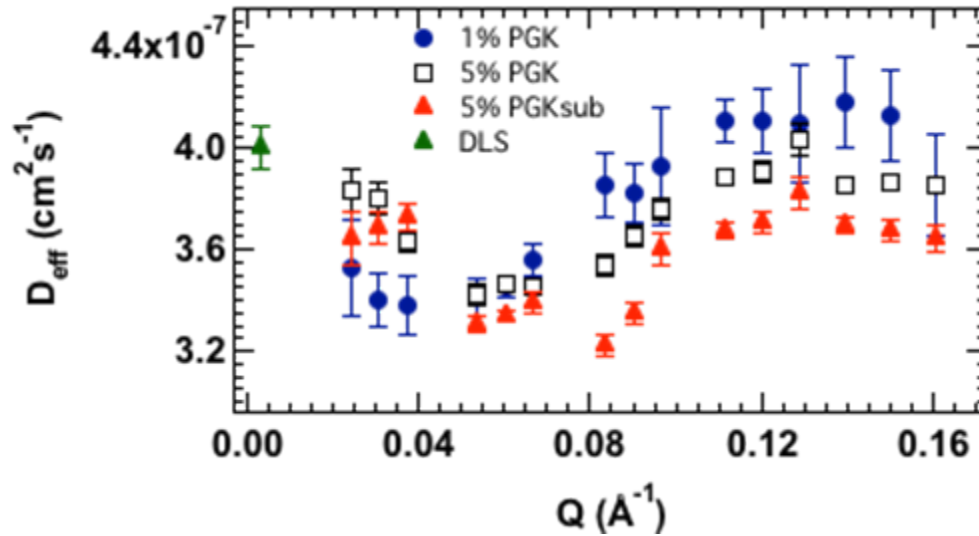


# NSE: intermediate scattering function (long wavelengths)



$$\frac{I(Q,t)}{I(Q,0)} = \exp(-\Gamma t + \frac{1}{2}K_2 t^2) = \exp(-DQ^2 t + \frac{1}{2}K_2 t^2)$$

# NSE results

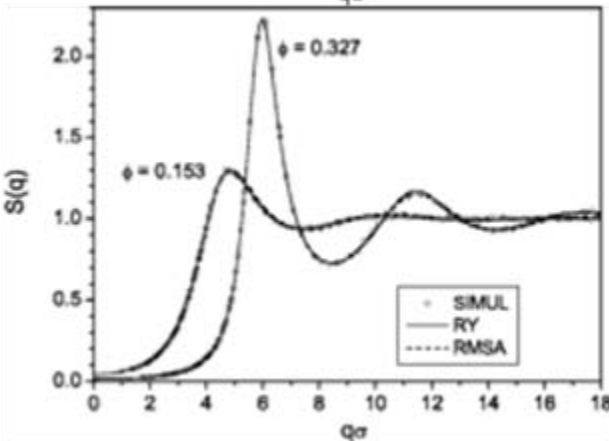
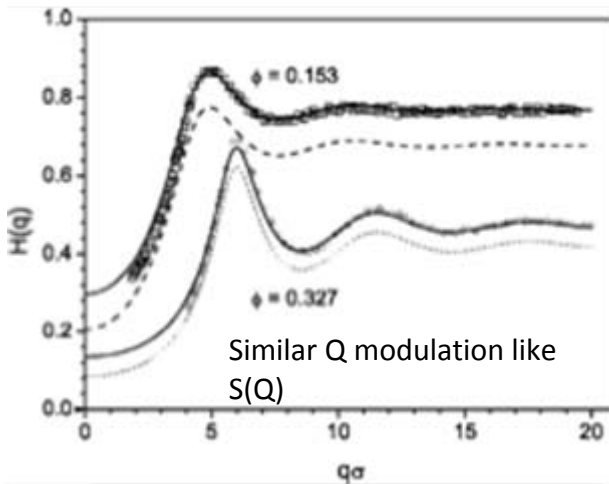


$D_{eff} S(Q)$  was quite small compared to  $D$  from DLS!!  $D_{eff}(Q) = D_0 \frac{H(Q)}{S(Q)}$

# NSE results correction for H(Q)

## Translational part

$$D_T(Q) = D_{T0} \frac{H_T(Q)}{S(Q)}$$



## rotaitonal part

$$D_R = D_{R0} H_R$$

For hard sphere, high Q limit of  $H_T$  is given by

$$H_T = 1 - 1.831\Phi + \dots < 1$$

For our volume fraction,  $H_T(Q)$  was flat above  $Q=0.07\text{\AA}^{-1}$

$$H_T(Q) = \underbrace{H_{T,s}}_{\text{self}} + \underbrace{H_{Td}(Q)}_{\text{distinct}}$$

## Assumption

1.  $H_T(Q)$  is constant due to the asymmetry shape of protein. (dominated by self part)
2.  $H_R=1$  is concentration independent because of weaker coupling of HD to RD.

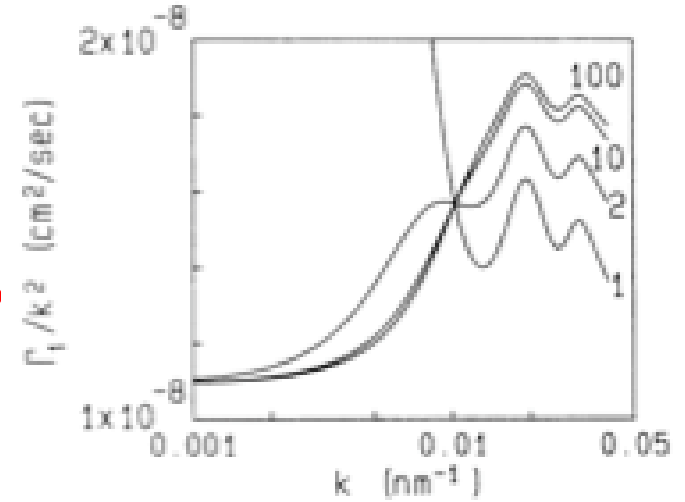
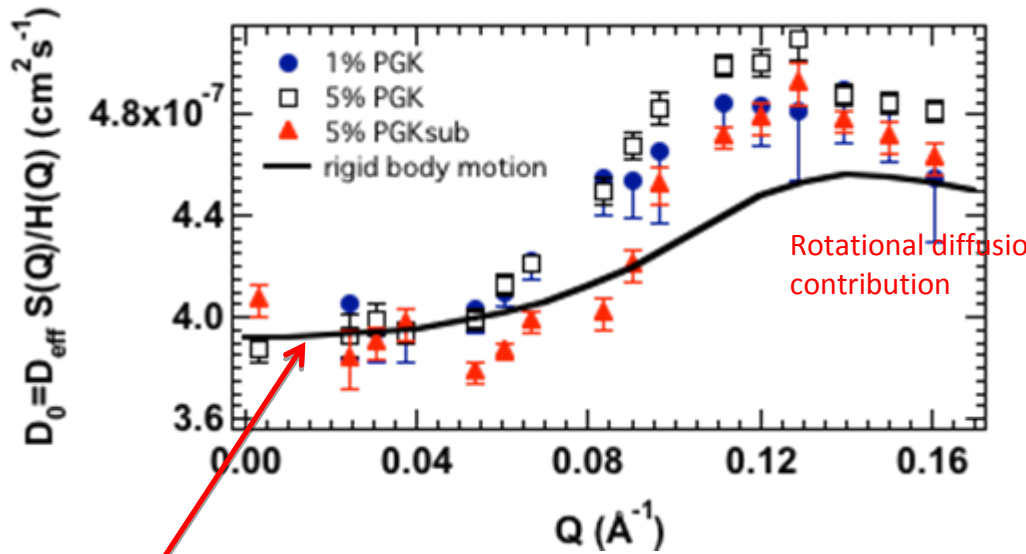
$$H_{T,5\%} = 0.74 \quad H_{T,1\%} = 0.81$$

$$H_R = 1.0$$

Detailed calculation is still missing!!



# NSE results $D_0$ vs rigid body motion



Klein et al.

$$D_0(q) = \frac{1}{q^2} \frac{\sum_{j,k} \left\langle b_j e^{-i\mathbf{q}\mathbf{r}_j} \begin{pmatrix} \mathbf{q} \\ \mathbf{q} \times \mathbf{r}_j \end{pmatrix} \mathbf{D} \begin{pmatrix} \mathbf{q} \\ \mathbf{q} \times \mathbf{r}_k \end{pmatrix} b_k e^{i\mathbf{q}\mathbf{r}_k} \right\rangle}{\sum_{j,k} \left\langle b_j e^{-i\mathbf{q}\mathbf{r}_j} b_k e^{i\mathbf{q}\mathbf{r}_k} \right\rangle} = F(Q)$$

diffusion tensor

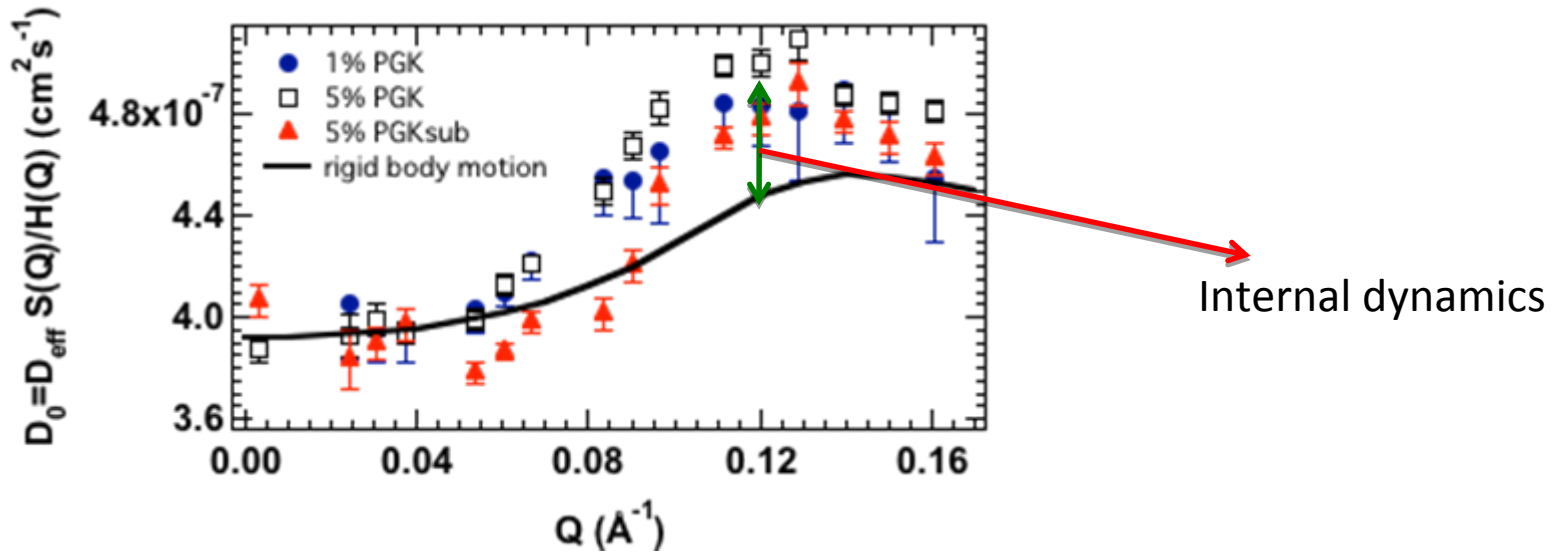
$$D_T = 3.94 \times 10^{-7} \text{ cm}^2 \text{ s}^{-1}$$

$$D_R = 3 \times 10^6 \text{ s}^{-1}$$

$$D = \begin{pmatrix} D_T & D_{TR} \\ D_{RT} & D_R \end{pmatrix} \text{ HYDROPRO :PDB file is used for calculation}$$

6X6 tensor

# NSE results Internal dynamics



How to describe the Internal dynamics?

## full calculation

Relaxation time of internal dynamics

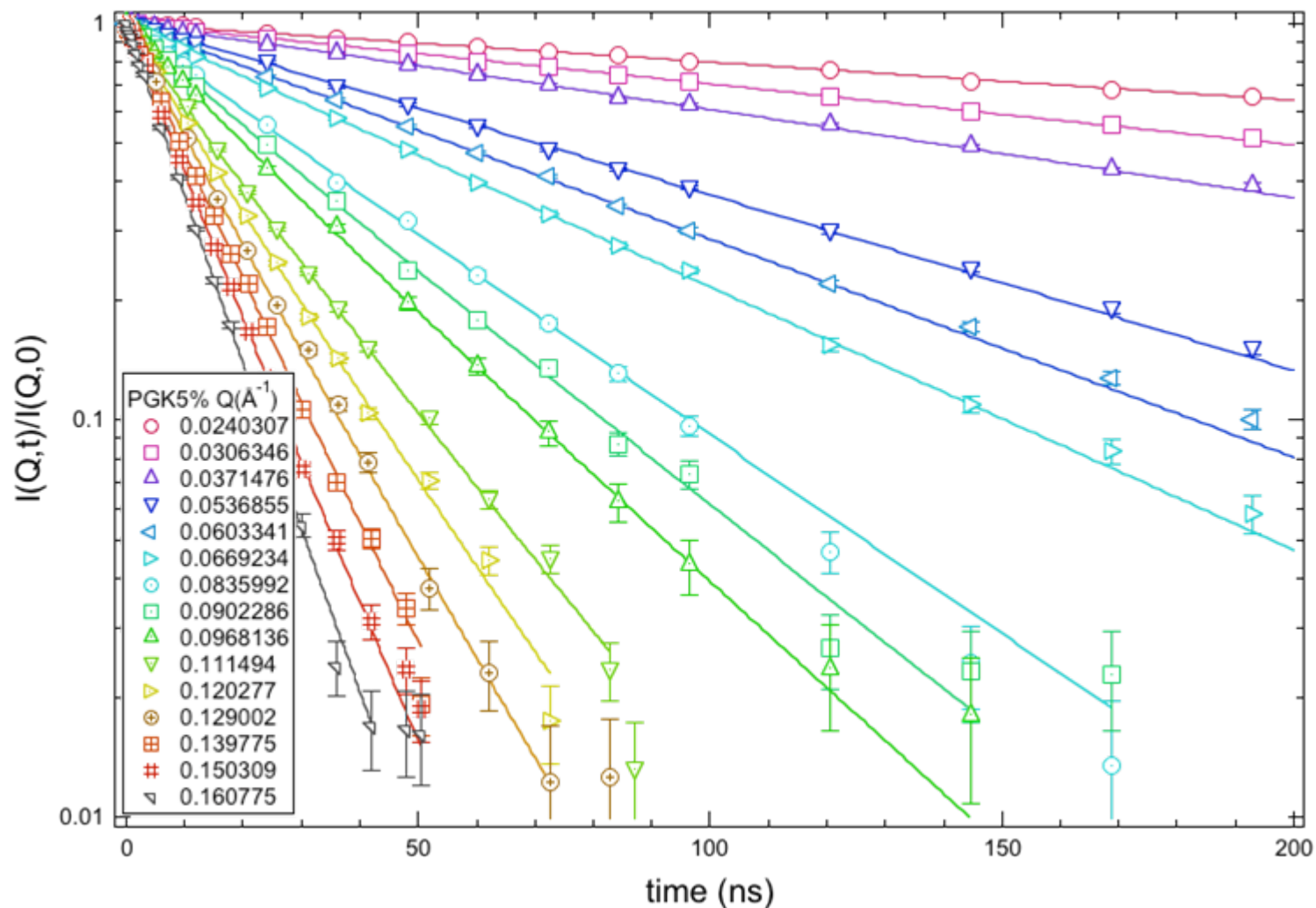
refer to Klein et al.

$$\frac{I(Q,t)}{I(Q,t=0)} = [(1 - A(Q)) + \boxed{A(Q)} \exp(-\boxed{\Gamma t})] \times \exp(-Q^2 \boxed{D_i} \frac{H_T}{S(Q)} t) \left( \sum_{l=0}^{\infty} S_l(Q) \exp(-l(l+1) \boxed{D_r} H_R t) \right) / \sum_{l=0}^{\infty} S_l(Q)$$

Amplitude of internal dynamics

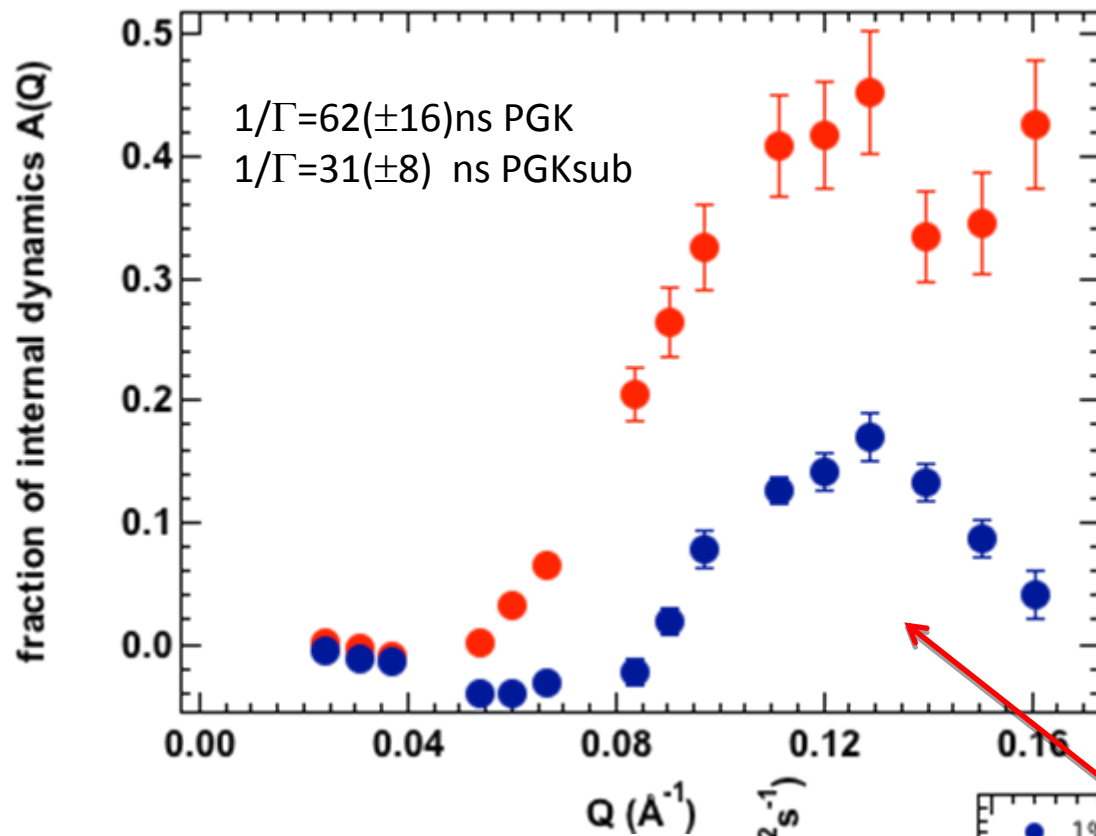
$$\text{with } S_l(Q) = \sum_m \left| \sum_i b_i j_l(Qr_i) Y_{l,m}(\Omega_i) \right|^2$$

# NSE results fit by full calculation

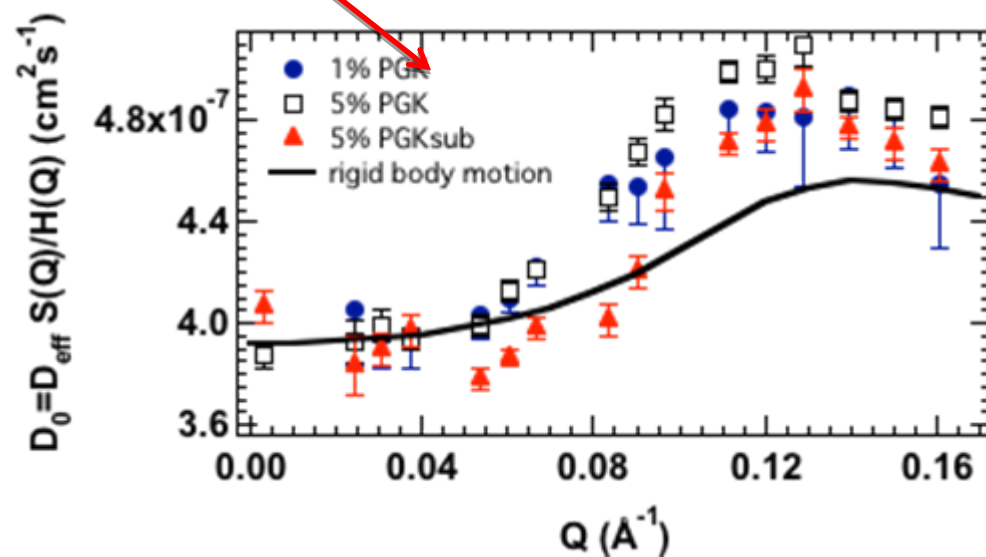


Well fitted by full calculation!!

# Nature of internal dynamics



Same tendency



# Nature of internal dynamics NM approaches

## First-order approximation for small displacements along NM

$$I(Q, t) \propto I(Q) + \sum_{\alpha} a_{\alpha} e^{-\lambda_{\alpha} t} P_{\alpha}(Q)$$

Lambda is RR of the overdamped mode

$$P_{\alpha}(Q) = \left\langle \sum_{k,l} b_k b_l \exp(iQ(r_k - r_l)) \cdot (Q \cdot e_k^a) (Q \cdot e_l^a) \right\rangle$$

Eigenvector of mode a

Intermediate scattering

function  $\frac{I(Q, t)}{I(Q, t=0)}$

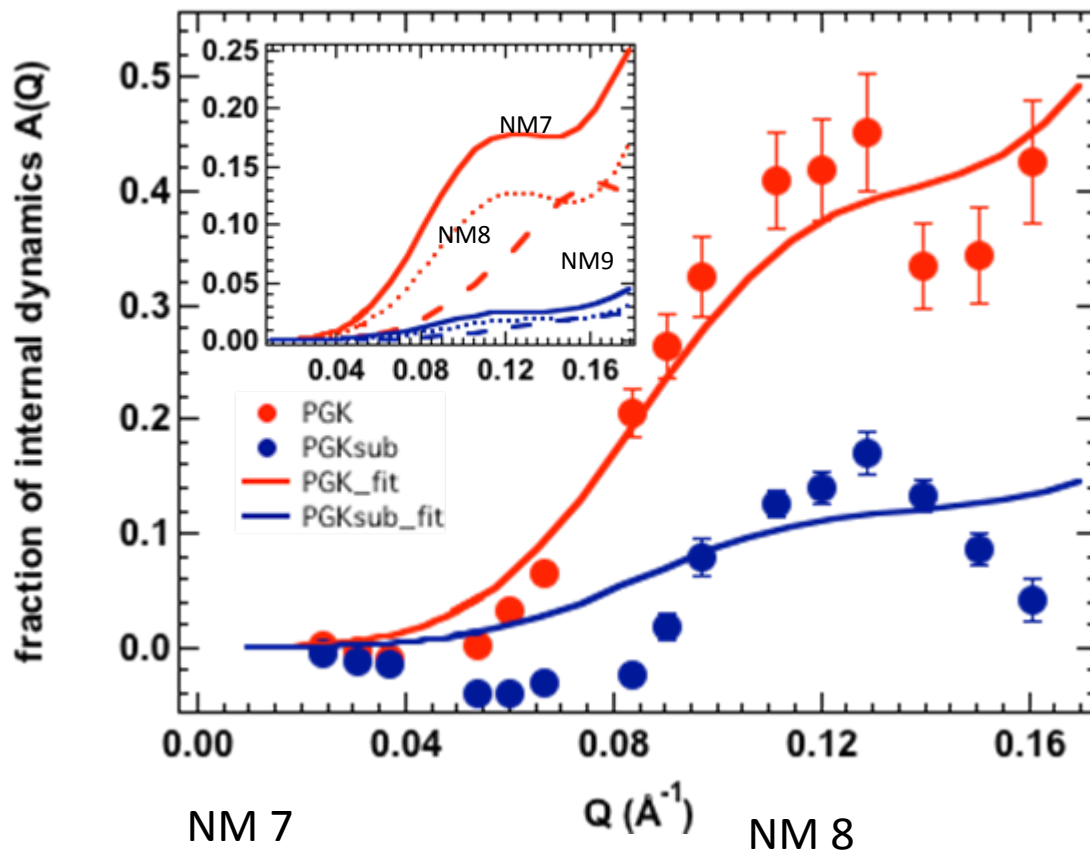


$$a \hat{P}_{\alpha}(Q) e^{-\lambda_{\alpha} t} = \frac{\sum_{\alpha} a_{\alpha} P_{\alpha}(Q) e^{-\lambda_{\alpha} t}}{I(Q) + \sum_{\alpha} a_{\alpha} P_{\alpha}(Q)}$$

## Contribution of NM

$$\hat{P}_{\alpha}(Q) = \frac{\sum_{\alpha} a_{\alpha} P_{\alpha}(Q)}{I(Q) + \sum_{\alpha} a_{\alpha} P_{\alpha}(Q)}$$

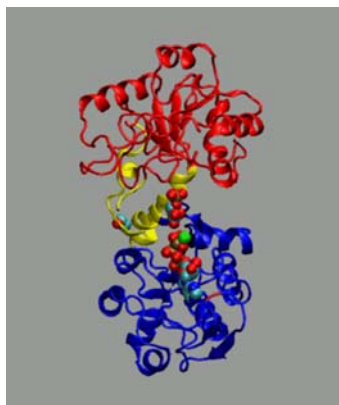
# Nature of internal dynamics NM approaches



Mean atomic displacement

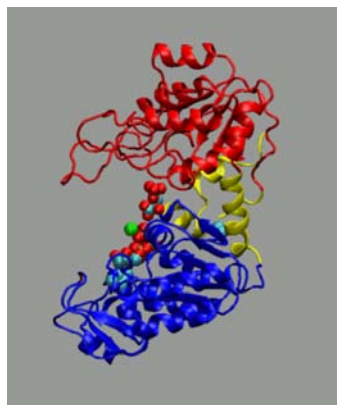
PGK =  $9.7 \pm 1 \text{\AA}$ ,  
PGKsub =  $4.5 \pm 0.9 \text{\AA}$

NM 7



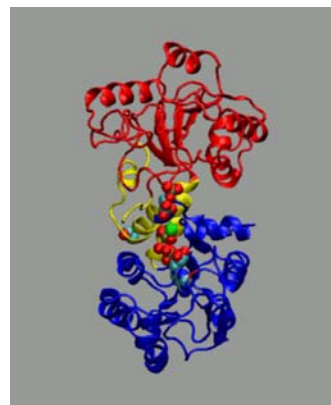
+

NM 8

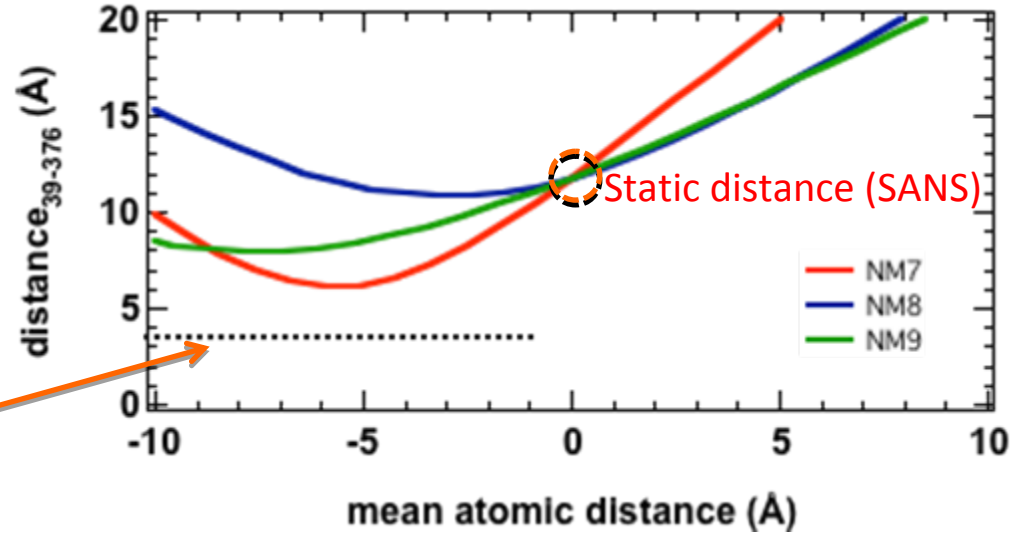
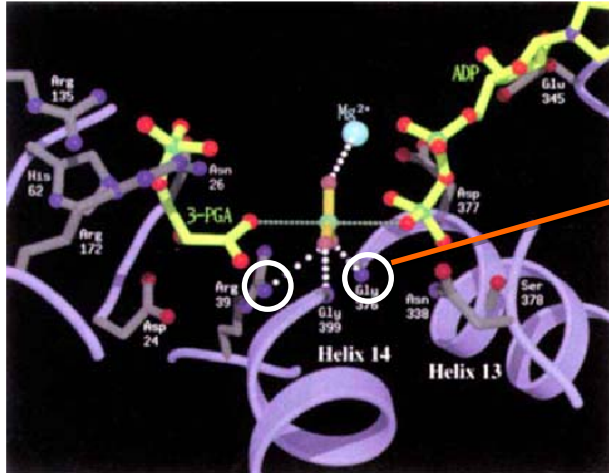


+

NM 9



# Relation to dynamics

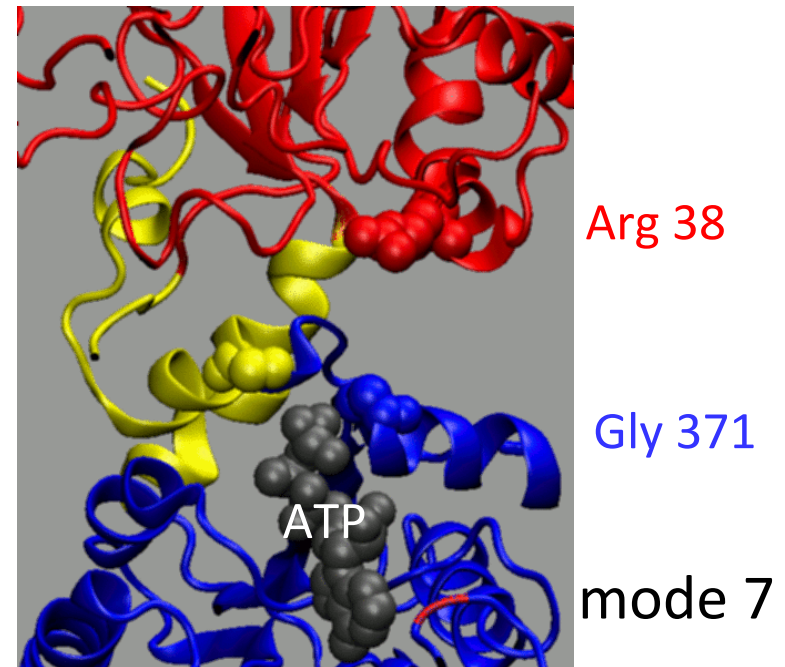


**Figure 5** The active site of *T. brucei* PGK with the transition state modelled as a distance<sub>38-371</sub>=3.5Å (±2.5Å resolution)

Static distance (SANS) is not enough to reach catalytic configuration

➔ ns dynamics is already ready for commencement of reaction!!

ca. turnover=350s<sup>-1</sup>





## Summary

Dynamics is necessary for understanding the structure and the functionality.